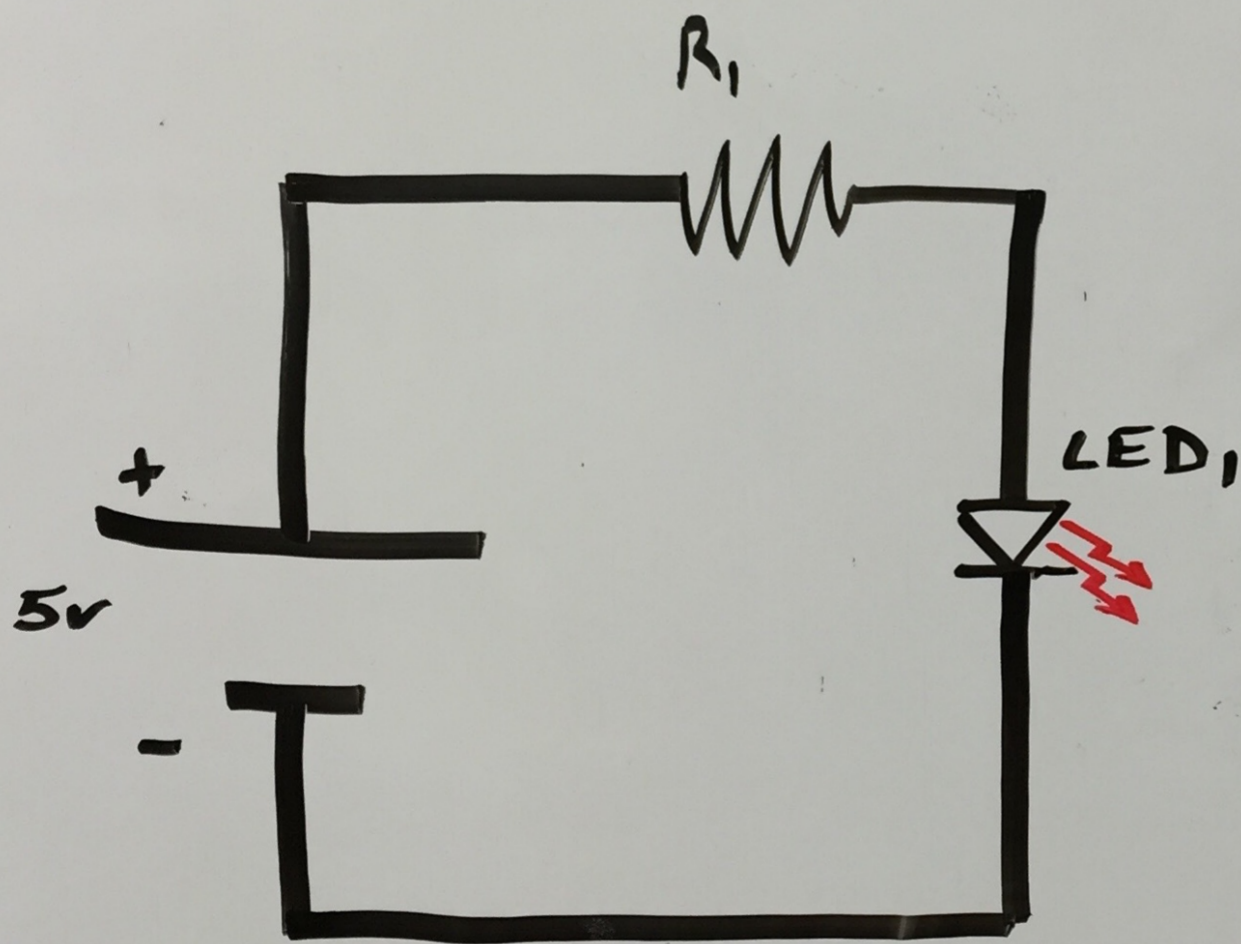


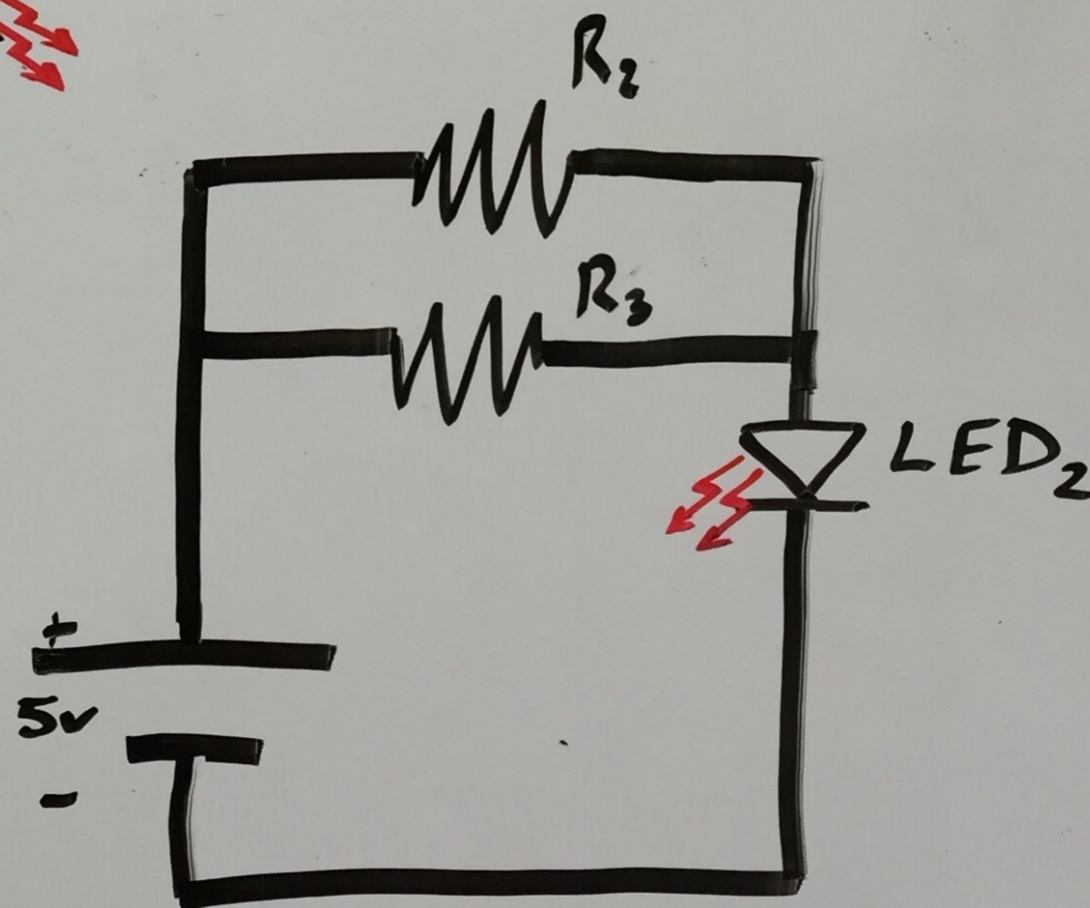
ENAE 100:

Circuits 1

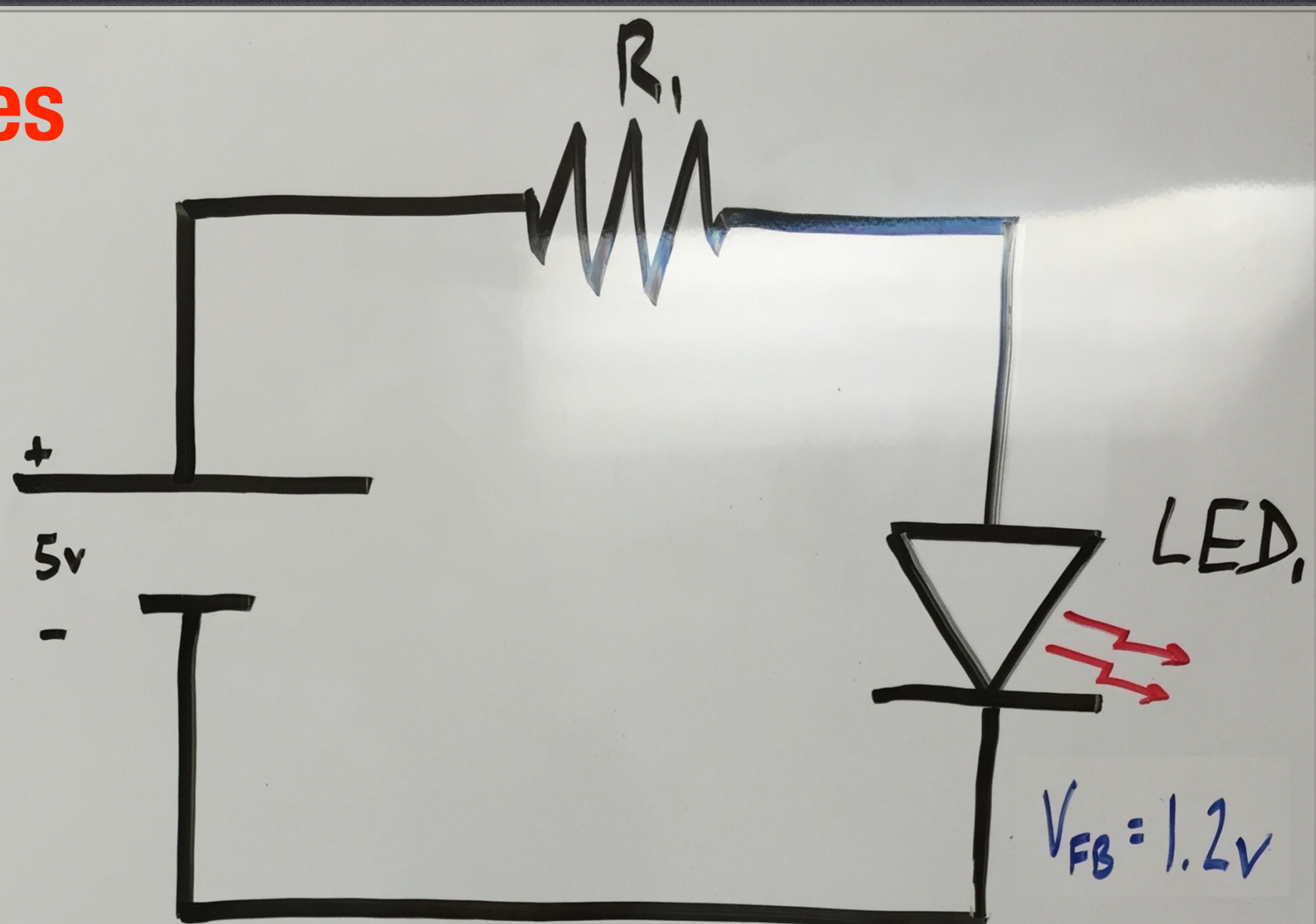
Series



Parallel



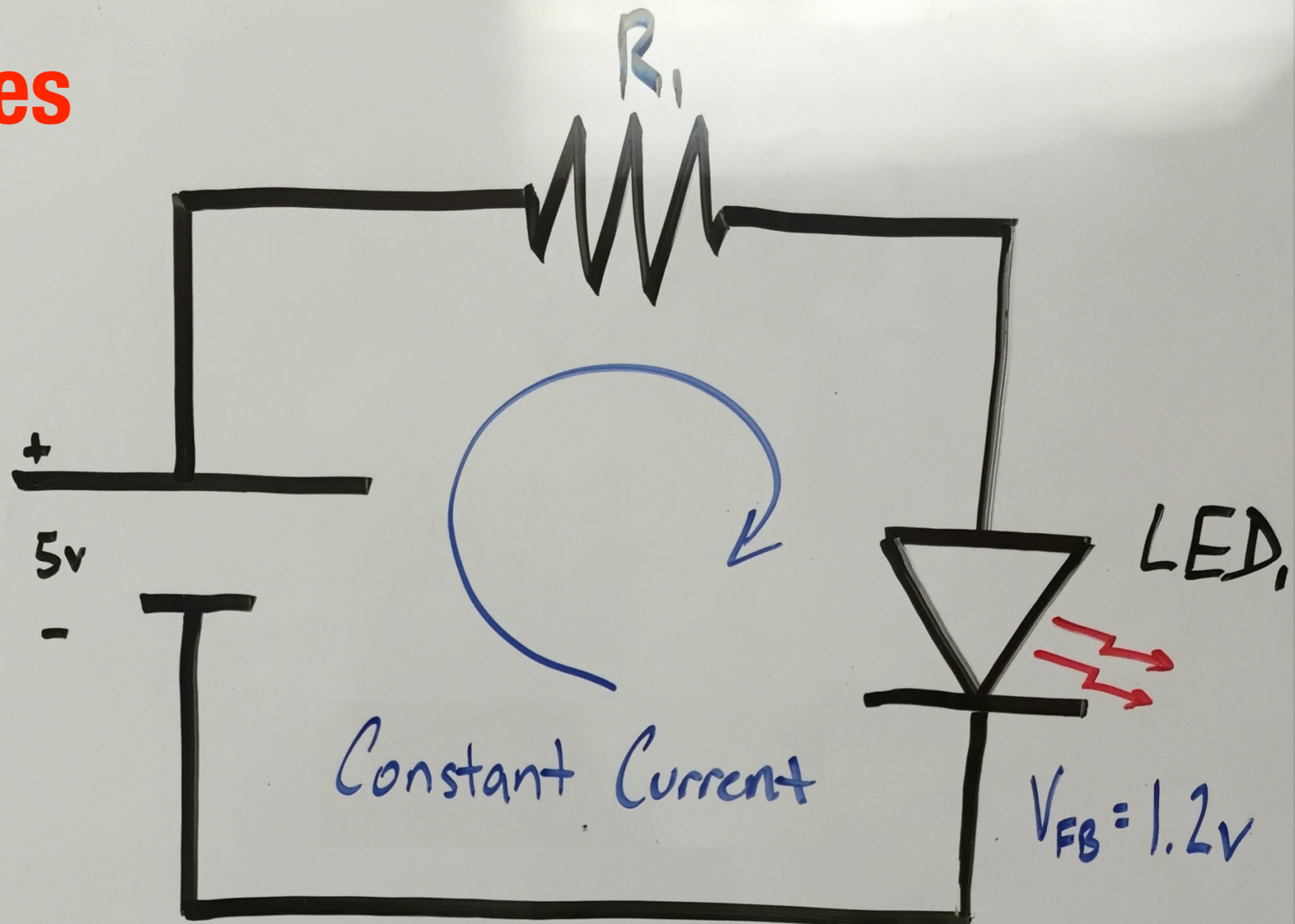
Series



① What is the purpose of R_1 ?

② If $R_1 = 100\Omega$, what is the current going through the LED?

Series



① What is the purpose of R_1 ?
Current limiting

② If $R_1 = 100\Omega$, what is the current going through the LED?

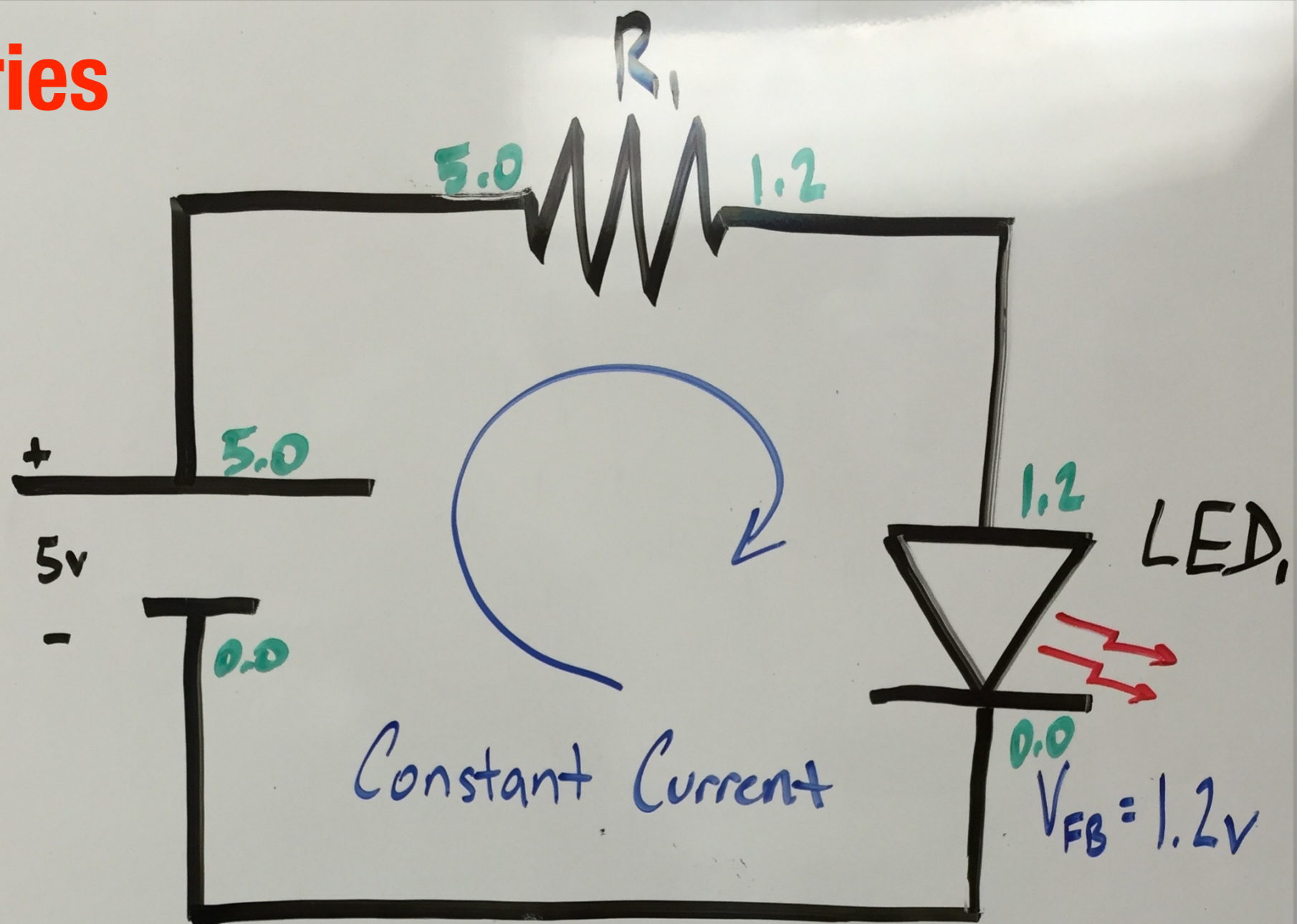
$$V = iR$$

$$(V - V_{FB}) = (i)(100\Omega)$$

$$(5 - 1.2) = (i)(100\Omega) \Rightarrow \frac{3.8}{100} = i$$

$$i = 0.038 \text{ Amps} \\ = 38 \text{ mA}$$

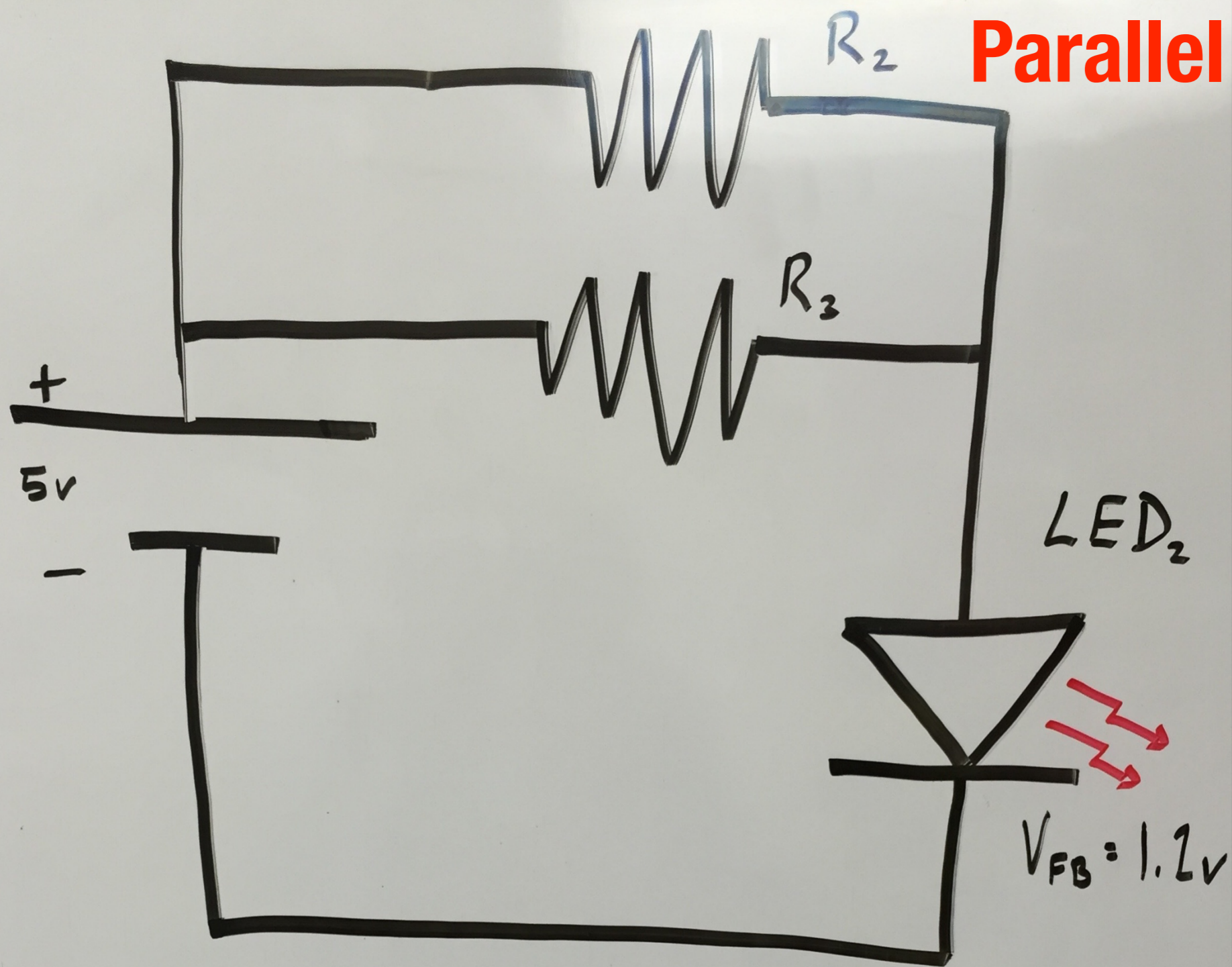
Series



More detail:

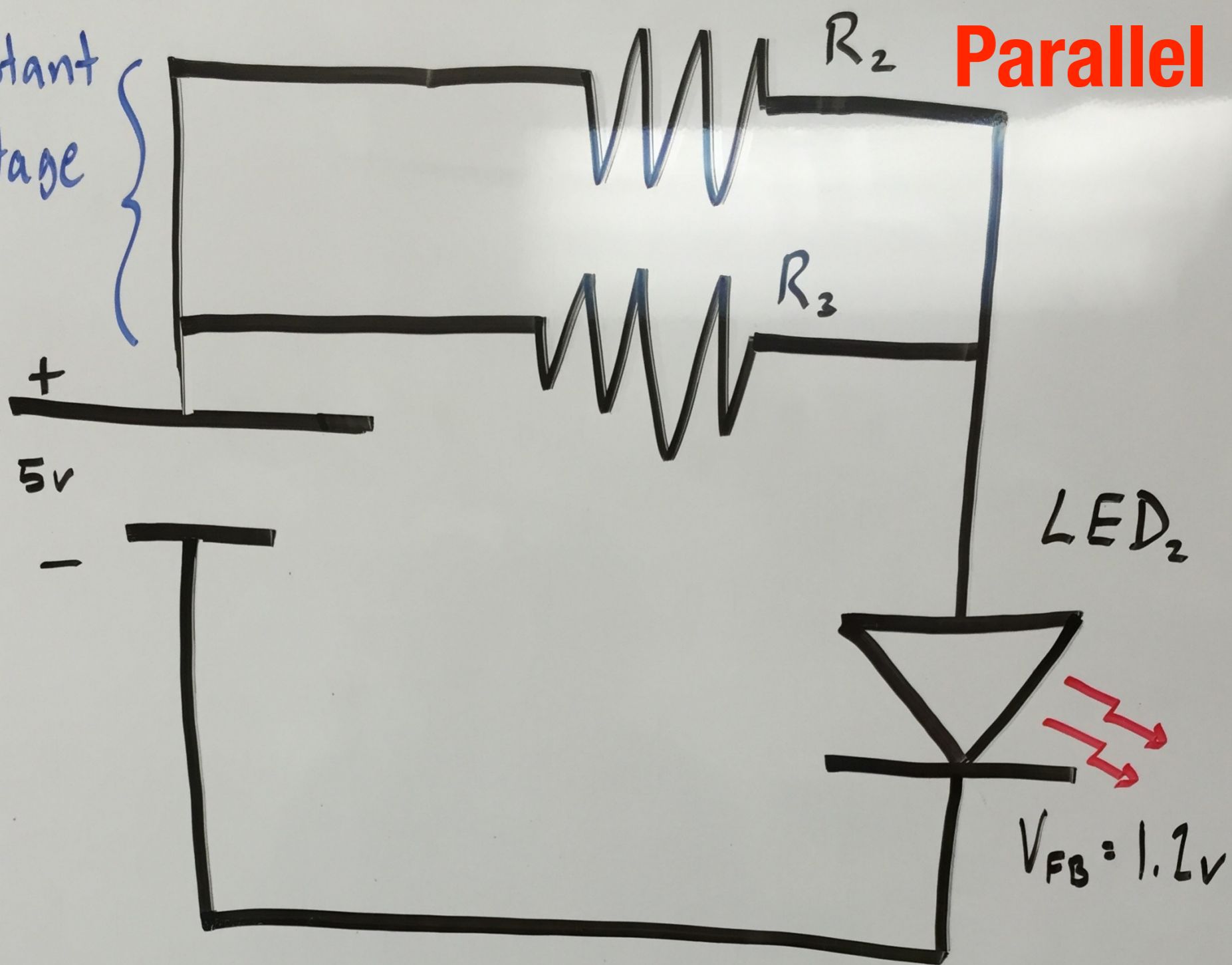
- Voltage drop over LED known from specs
- Work backwards to get voltage drop over resistor
- Use Ohm's Law to calculate current in whole circuit

More current = greater intensity



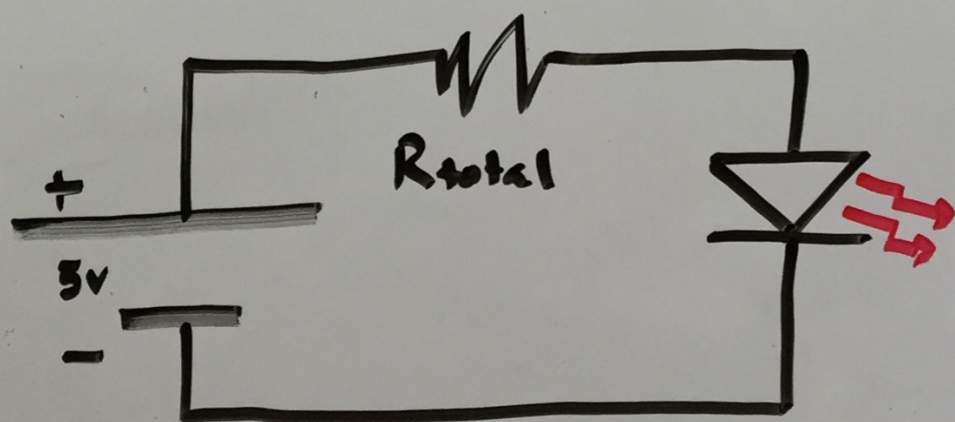
- ① What is the purpose of R_2 and R_3 together?
- ② If $R_2 = 100\Omega$ and $R_3 = 50\Omega$, what is the total resistance?
- ③ If $R_2 = 100\Omega$ and $R_3 = 50\Omega$, what is the current going through the LED?

Constant Voltage

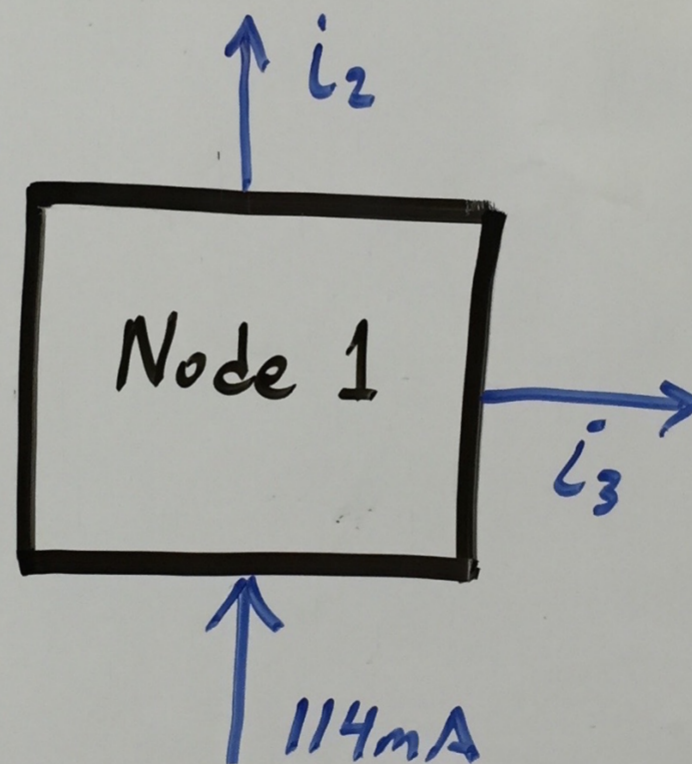
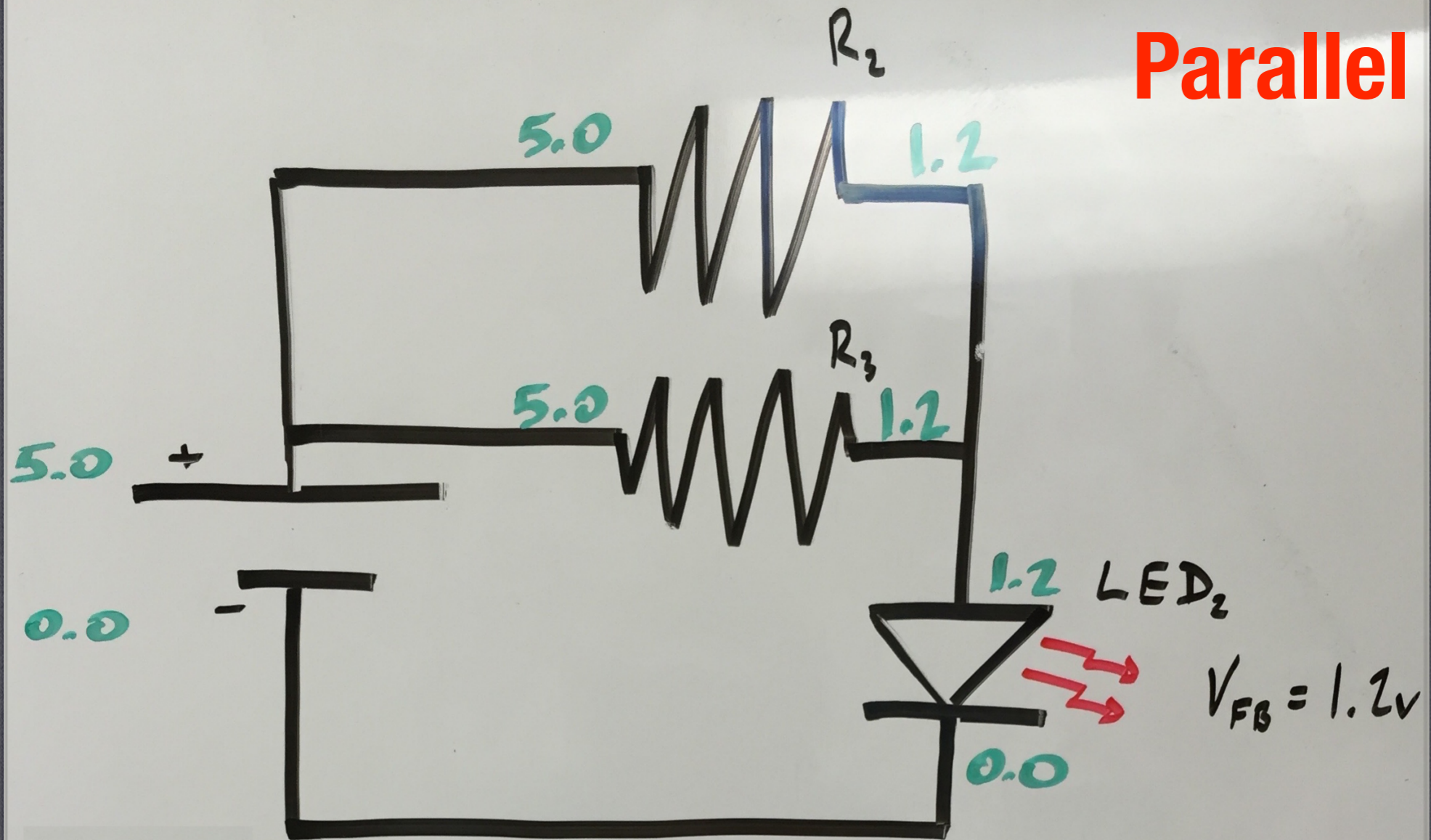


① Current limiting

②
$$\left(\frac{1}{R_2} + \frac{1}{R_3} \right)^{-1} = \frac{1}{\frac{1}{100} + \frac{1}{50}} = R_{total} = 33.3 \Omega$$



Parallel



Input = Output

$$114\text{mA} = I_2 + I_3$$

$$114\text{mA} - I_2 = I_3$$

$$114\text{mA} - 38\text{mA} = I_3$$

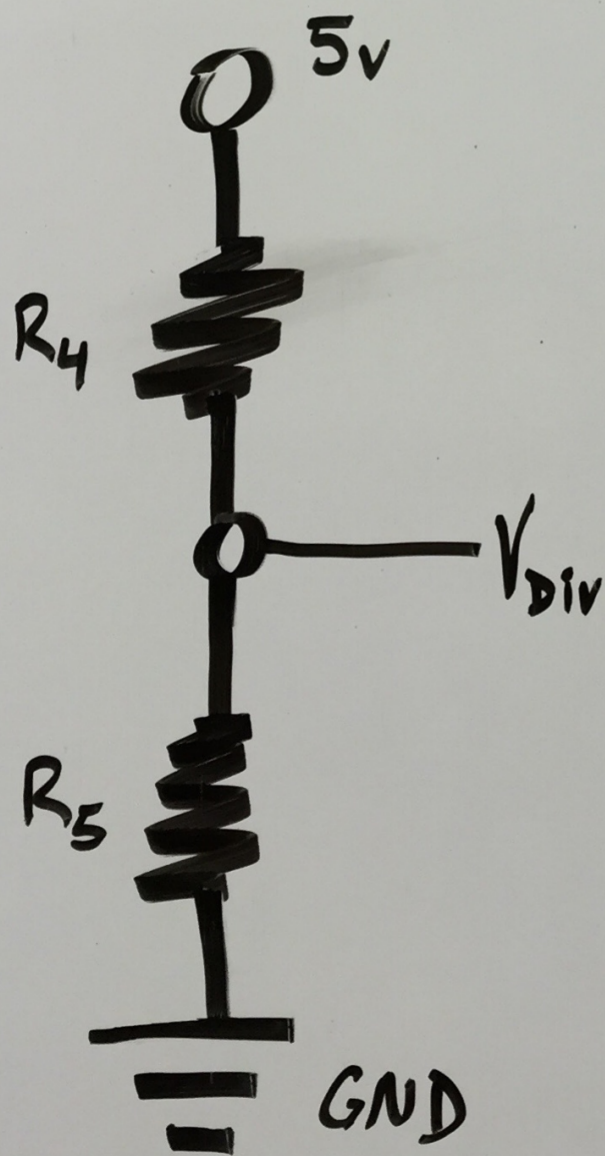
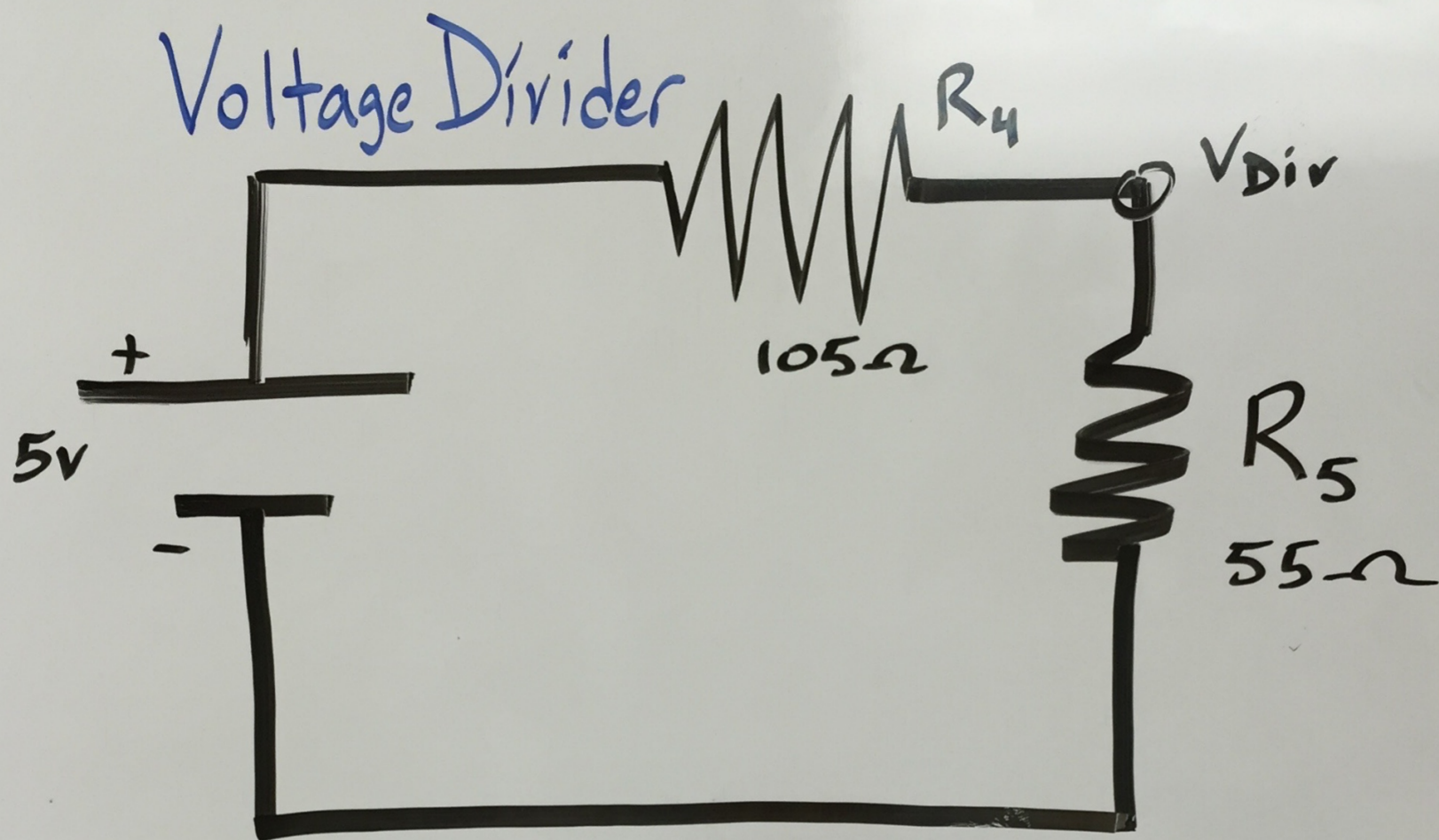
$$I_3 = 76\text{mA}$$

$$(V - V_{FB}) = (I_2)(R_2)$$

$$(5 - 1.2) = (I_2)(100\Omega)$$

$$\frac{3.8}{100} = I_2 = 38\text{mA}$$

Special Series Circuits



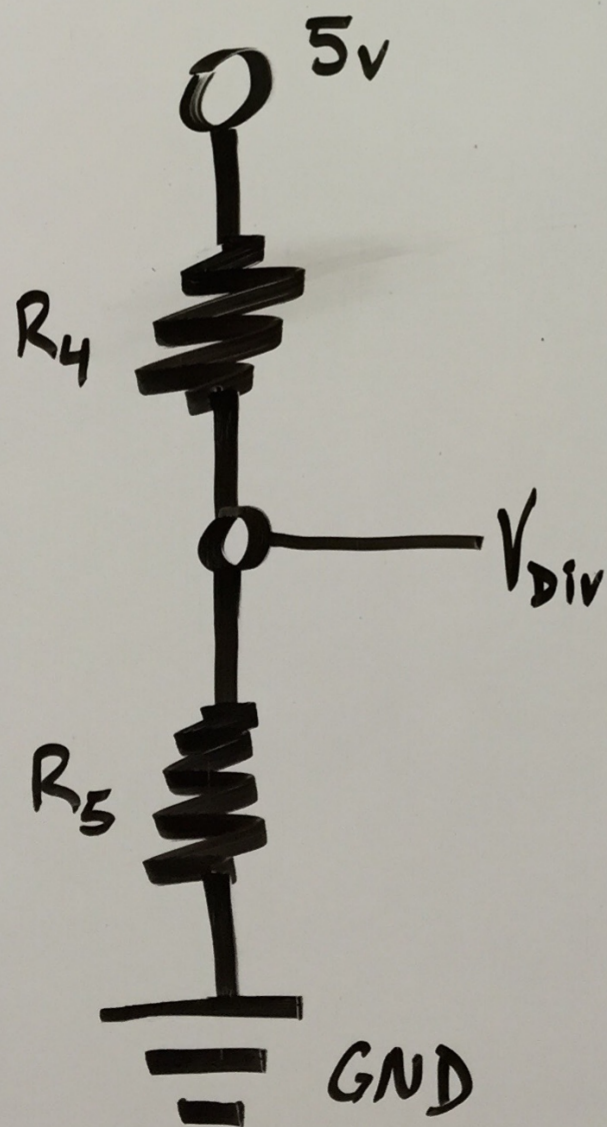
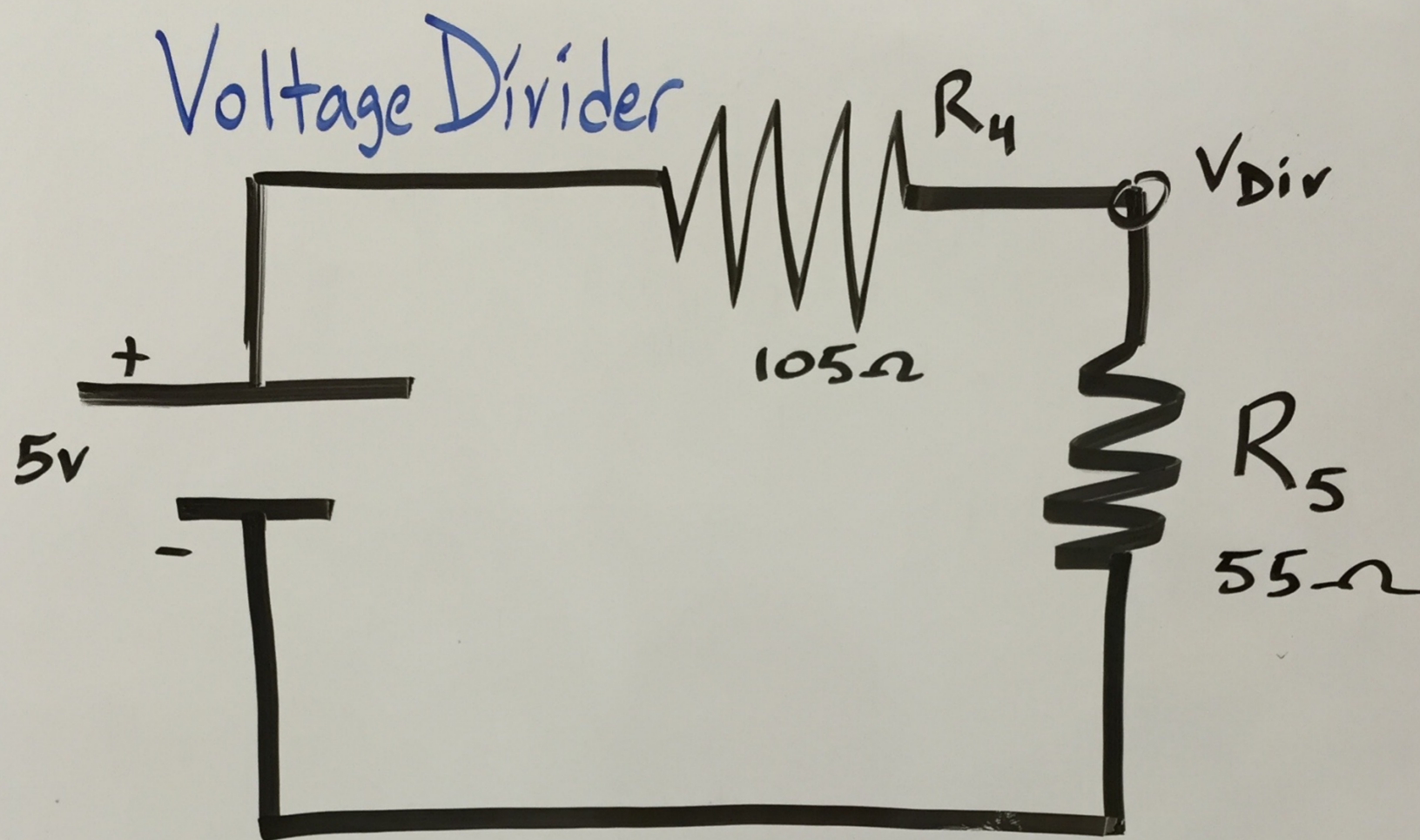
$$V_{total} = I_{constant} R_{total}$$

$$R_{total} = 55\Omega + 105\Omega$$
$$= 160\Omega$$

$$5v = (I)(160\Omega)$$

$$\frac{5}{160} = I = 0.03125 \text{ Amps}$$
$$= 31.25 \text{ mA}$$

Special Series Circuits



$$V_{Drop} = I_{constant} R_4$$

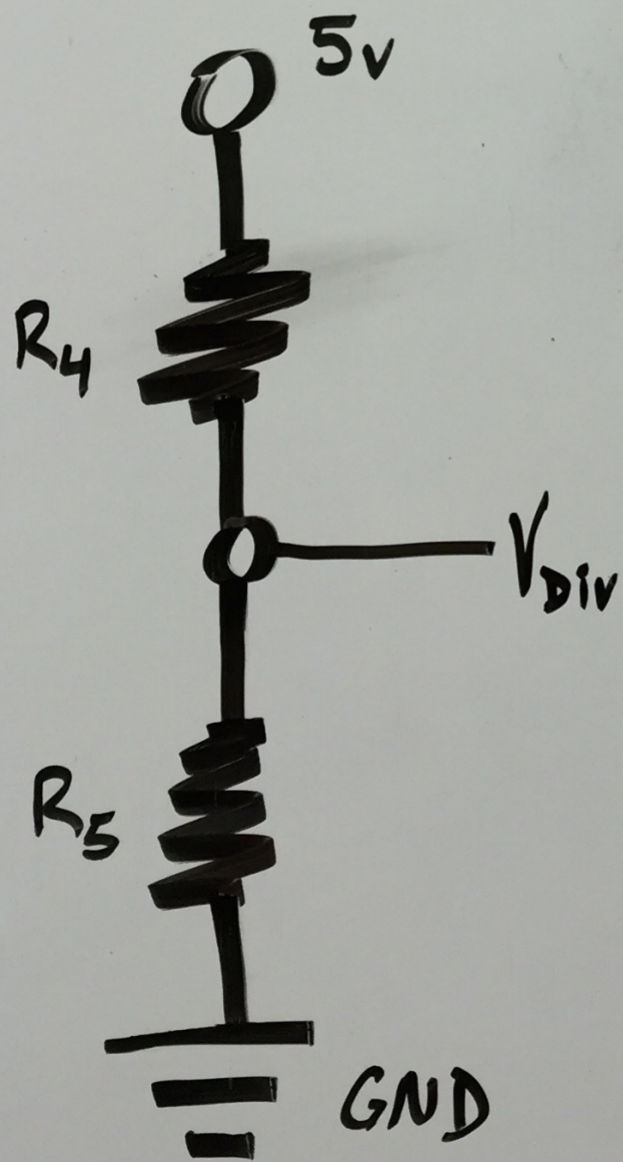
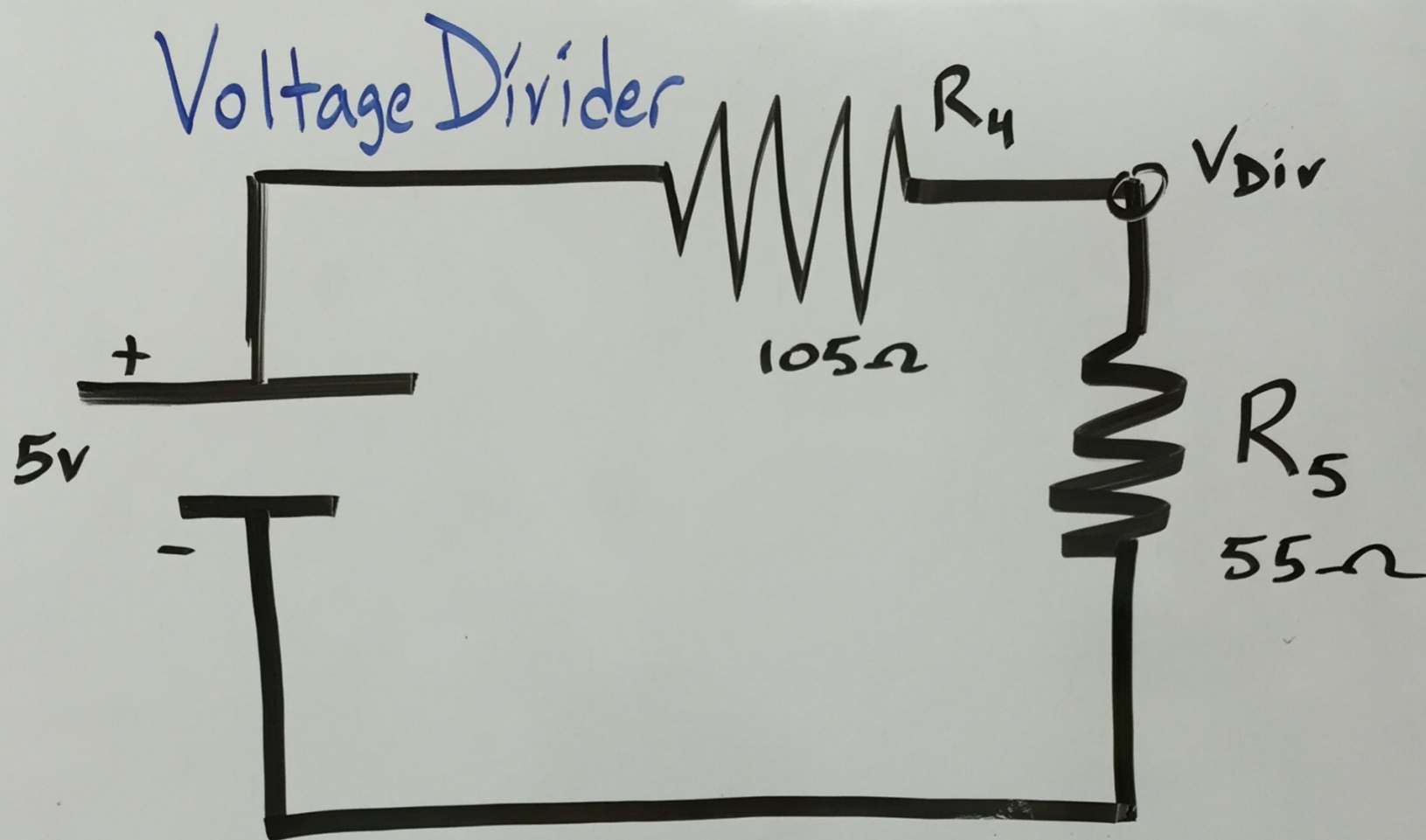
$$V_{Drop} = (0.03125)(105) \\ = 3.28125v$$

$$V - V_{Drop} = V_{Div}$$

$$5 - 3.28125 = V_{Div}$$

$$V_{Div} = 1.71875v$$

Special Series Circuits



$$5 = (R_4 + R_5)(i)$$

$$\boxed{\frac{5}{(R_4 + R_5)} = i}$$

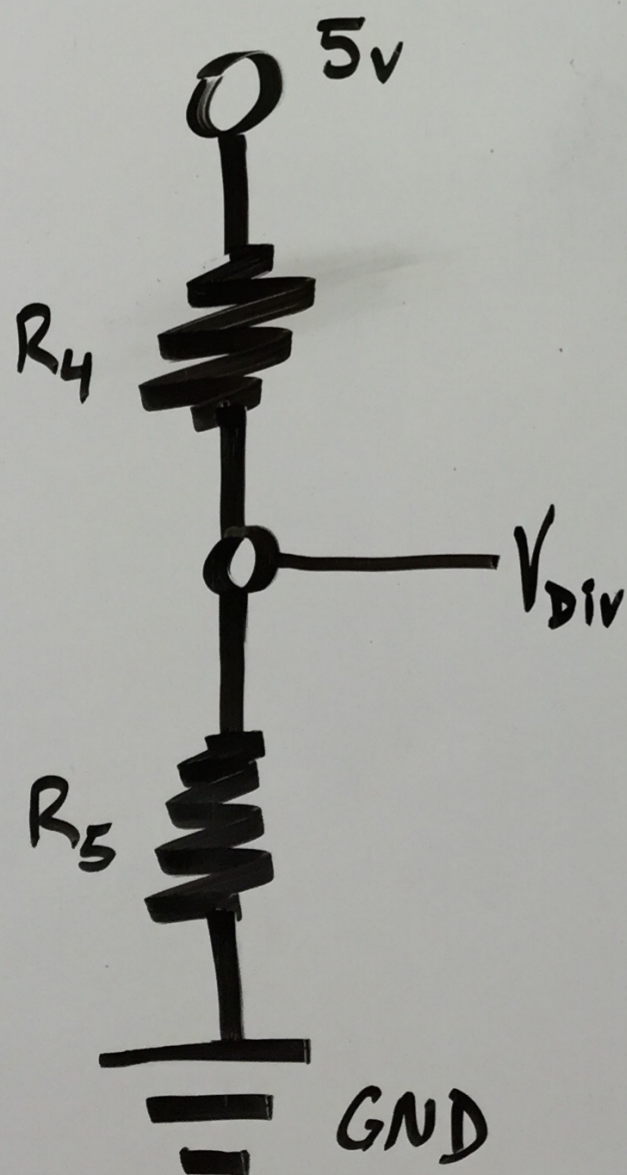
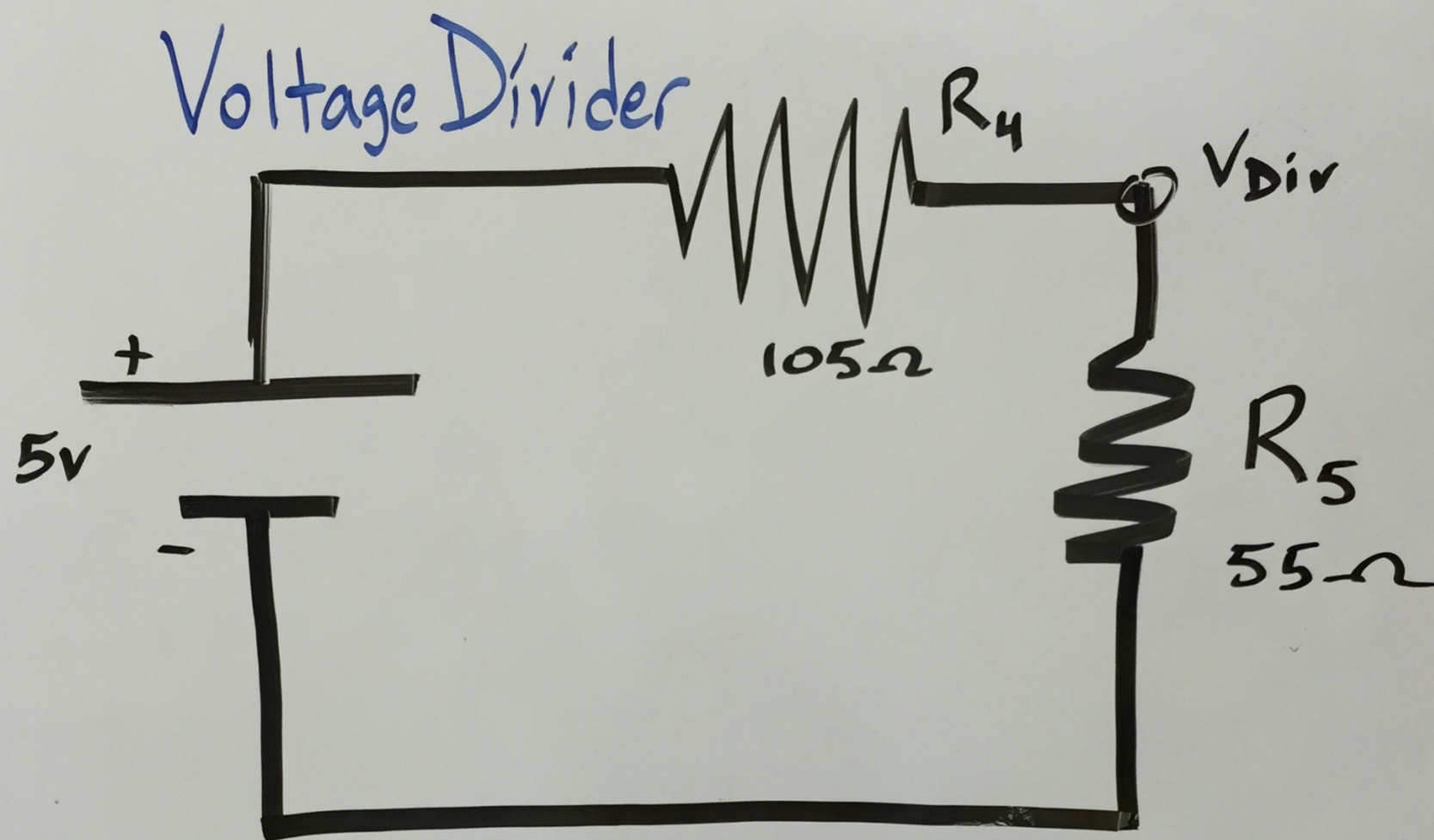
$$5 - V_{Div} = (R_4)(i)$$

$$5 - V_{Div} = \frac{(5)(R_4)}{(R_4 + R_5)}$$

$$V_{Div} = 5 - \frac{5(R_4)}{R_4 + R_5}$$

$$= 5 \left(1 - \frac{R_4}{R_4 + R_5} \right)$$

Special Series Circuits



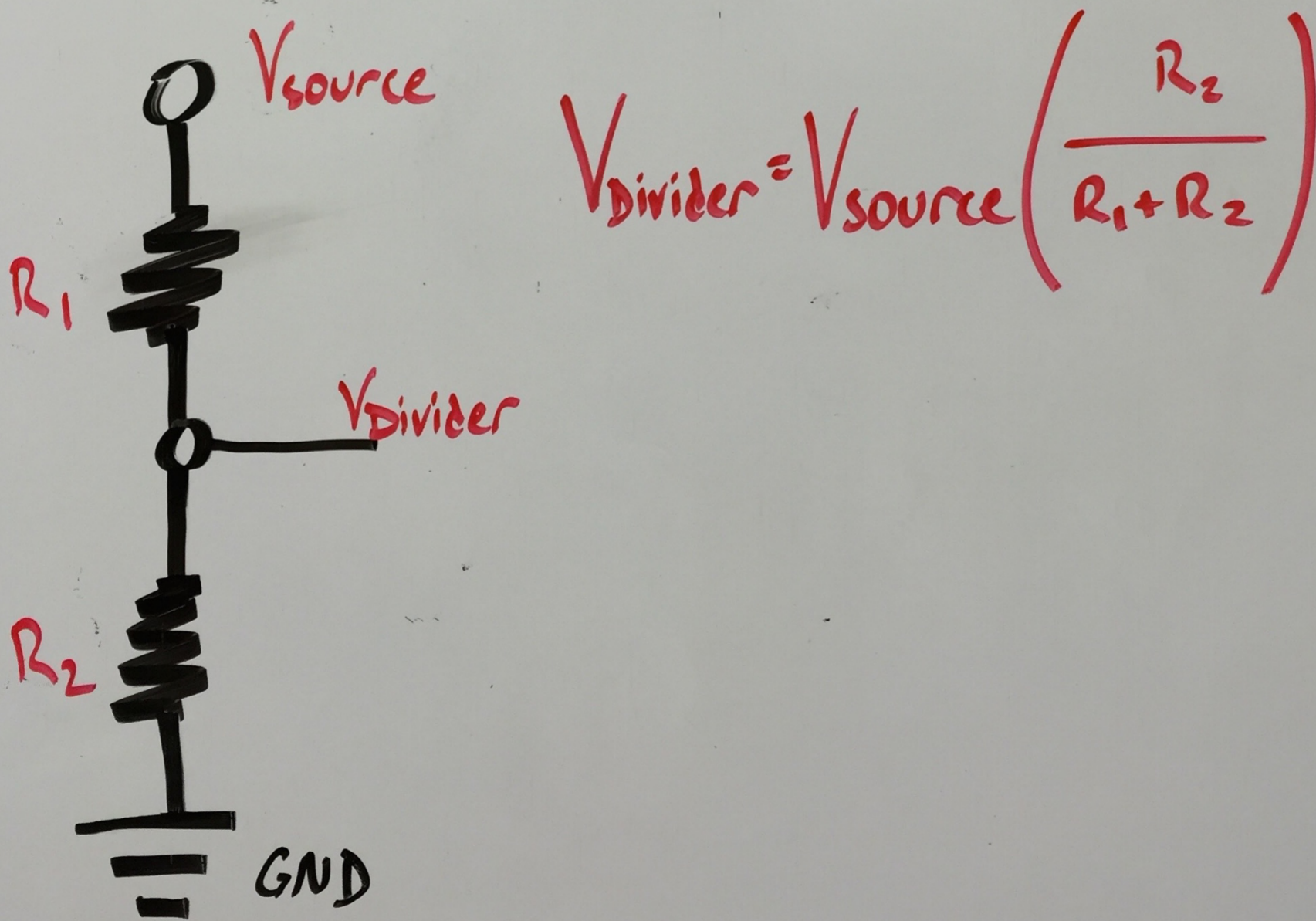
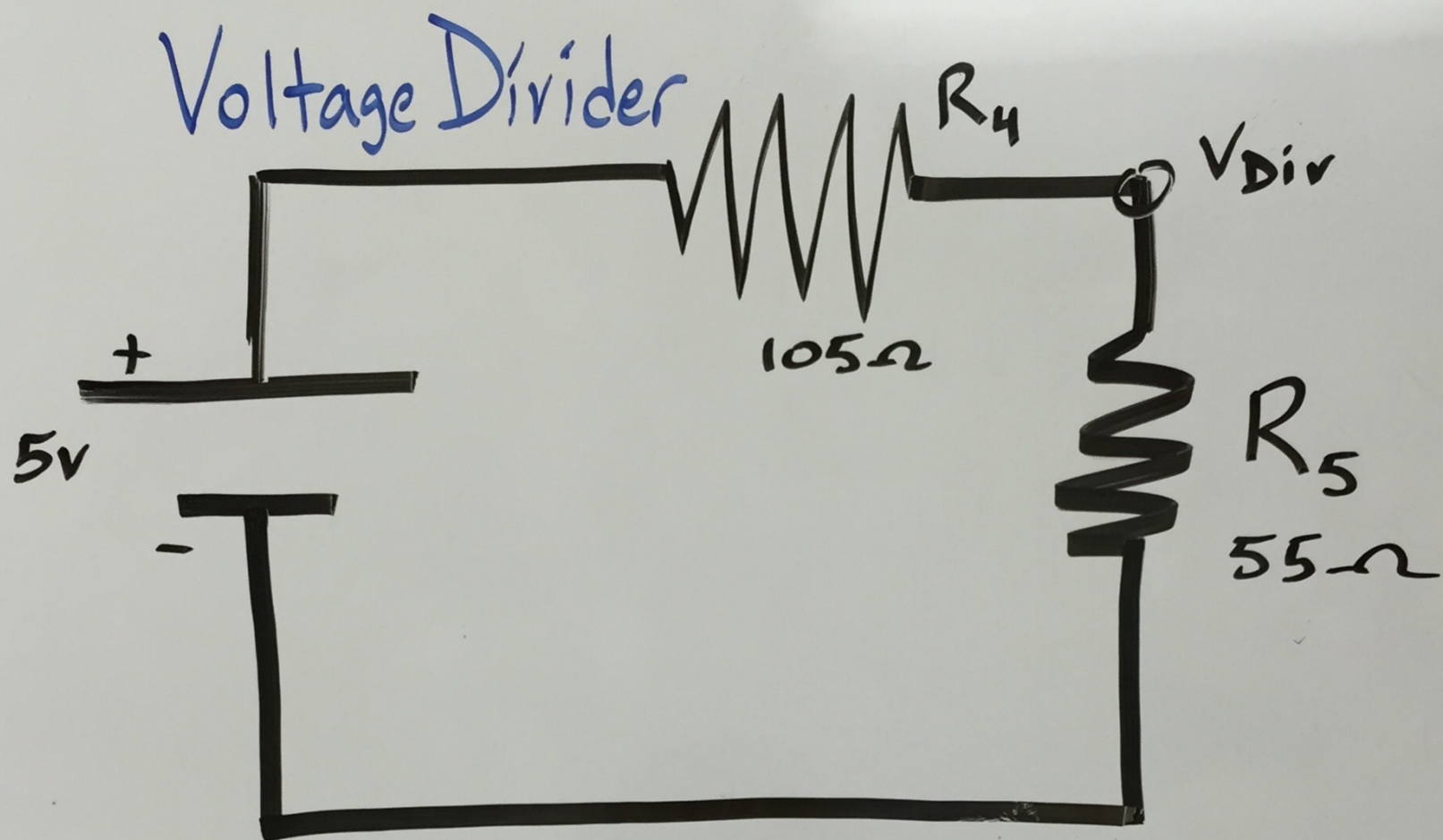
$$V_{Div} = 5 \left(\frac{R_4 + R_5}{R_4 + R_5} - \frac{R_4}{R_4 + R_5} \right)$$

$$= 5 \left(\frac{R_5}{R_4 + R_5} \right)$$

$$= 5 \left(\frac{55}{105 + 55} \right)$$

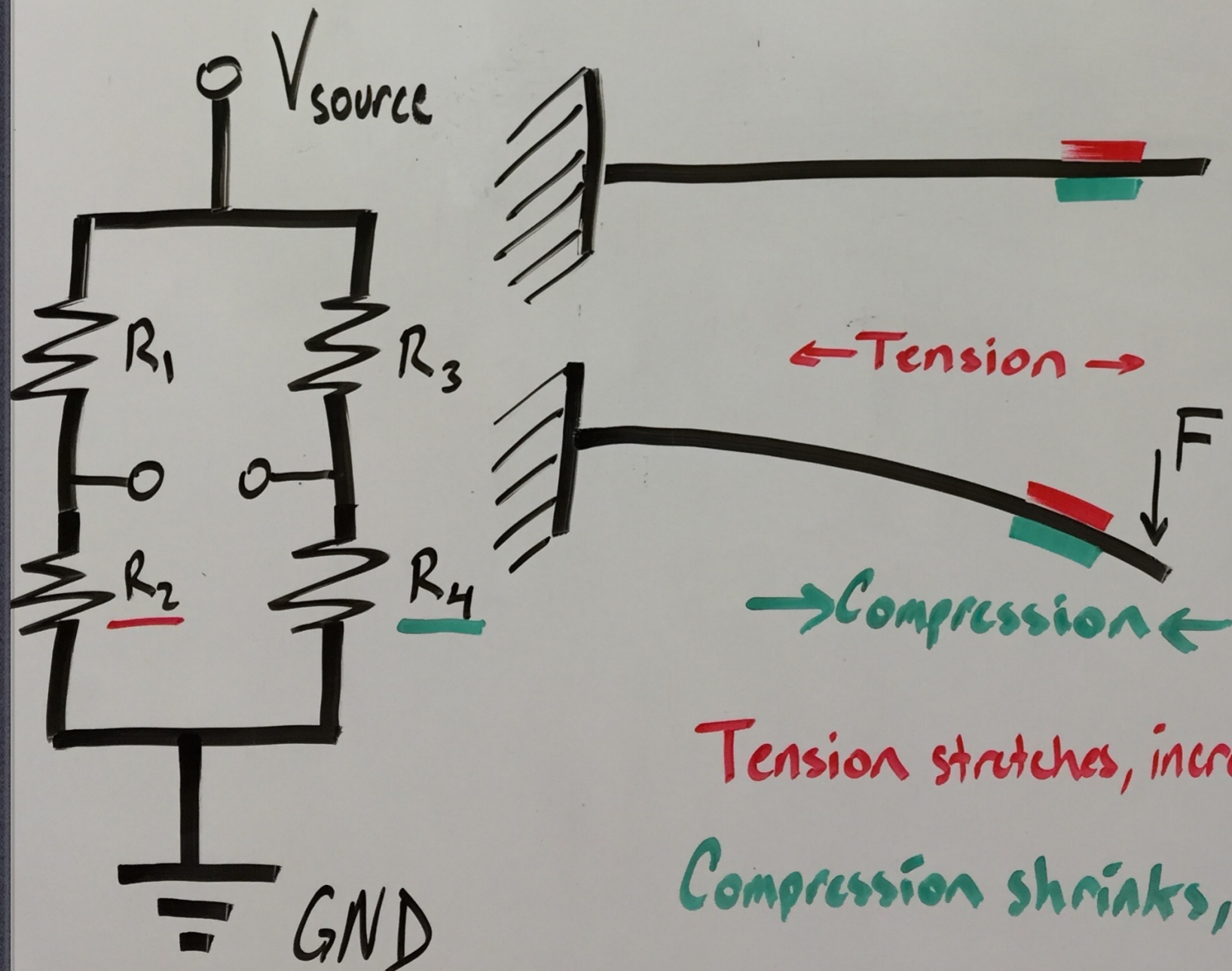
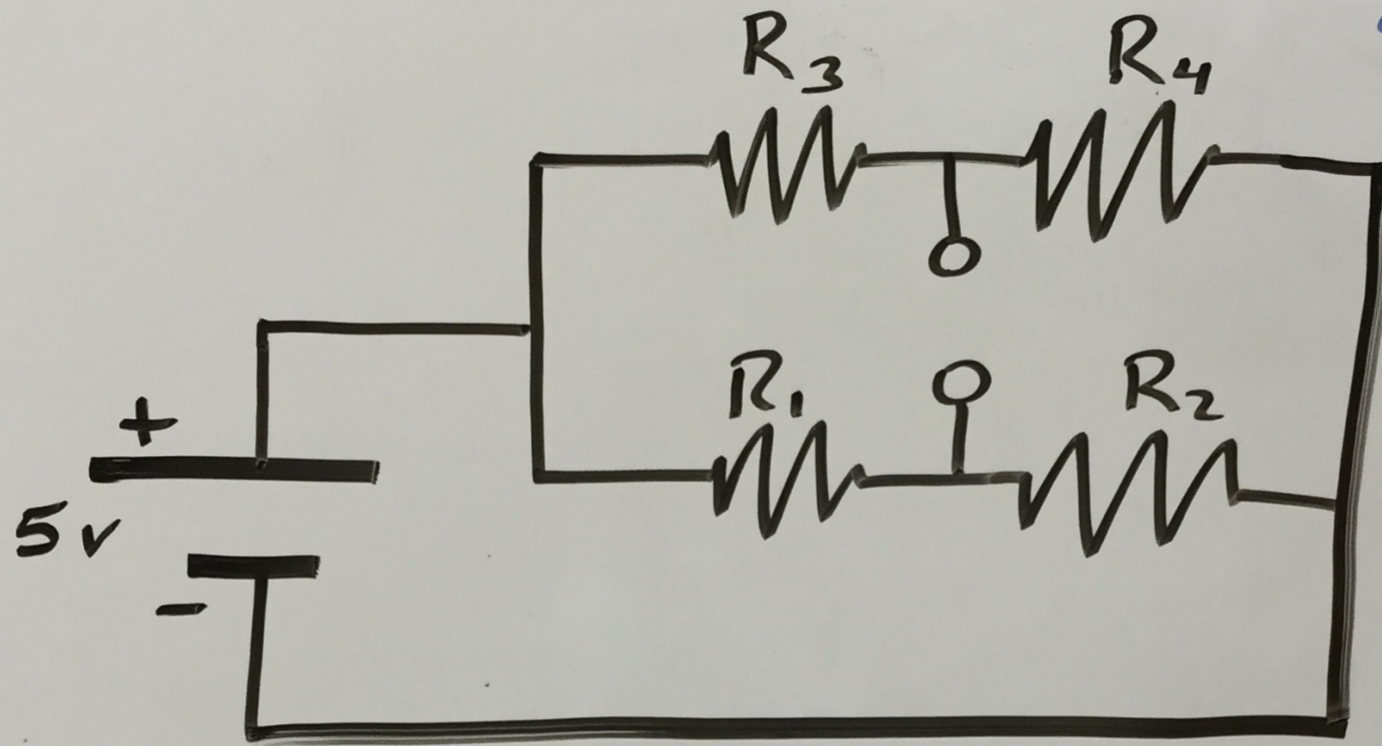
$$= \underline{\underline{1.71875v}}$$

Special Series Circuits



Special Parallel Circuits

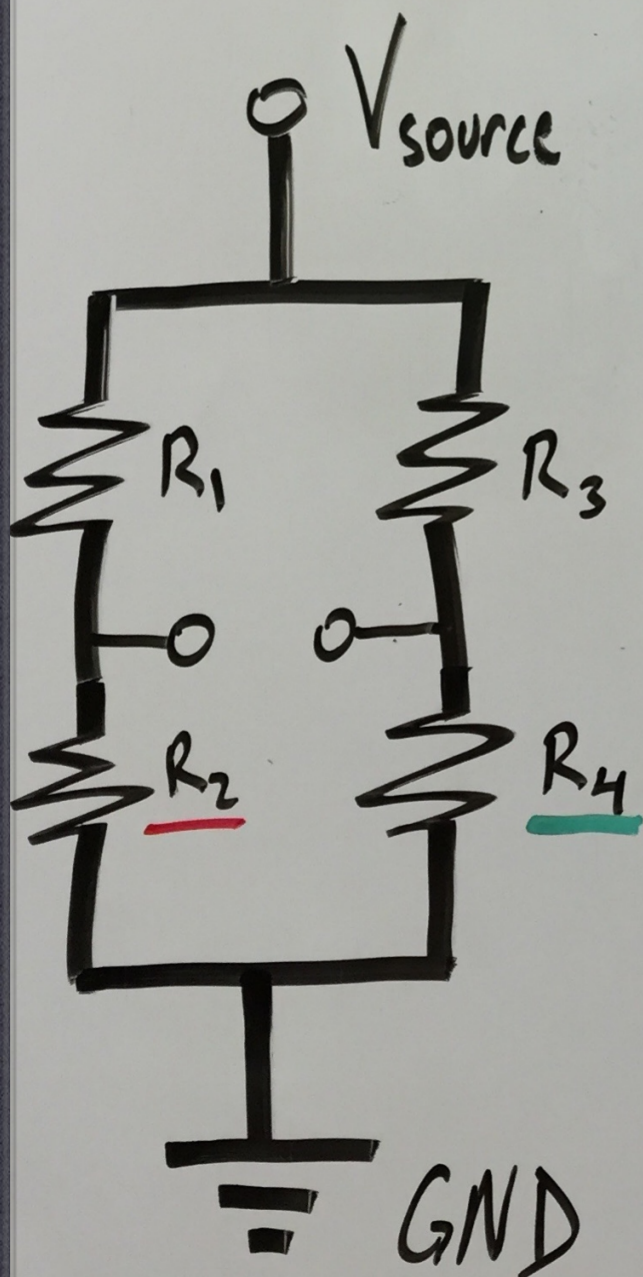
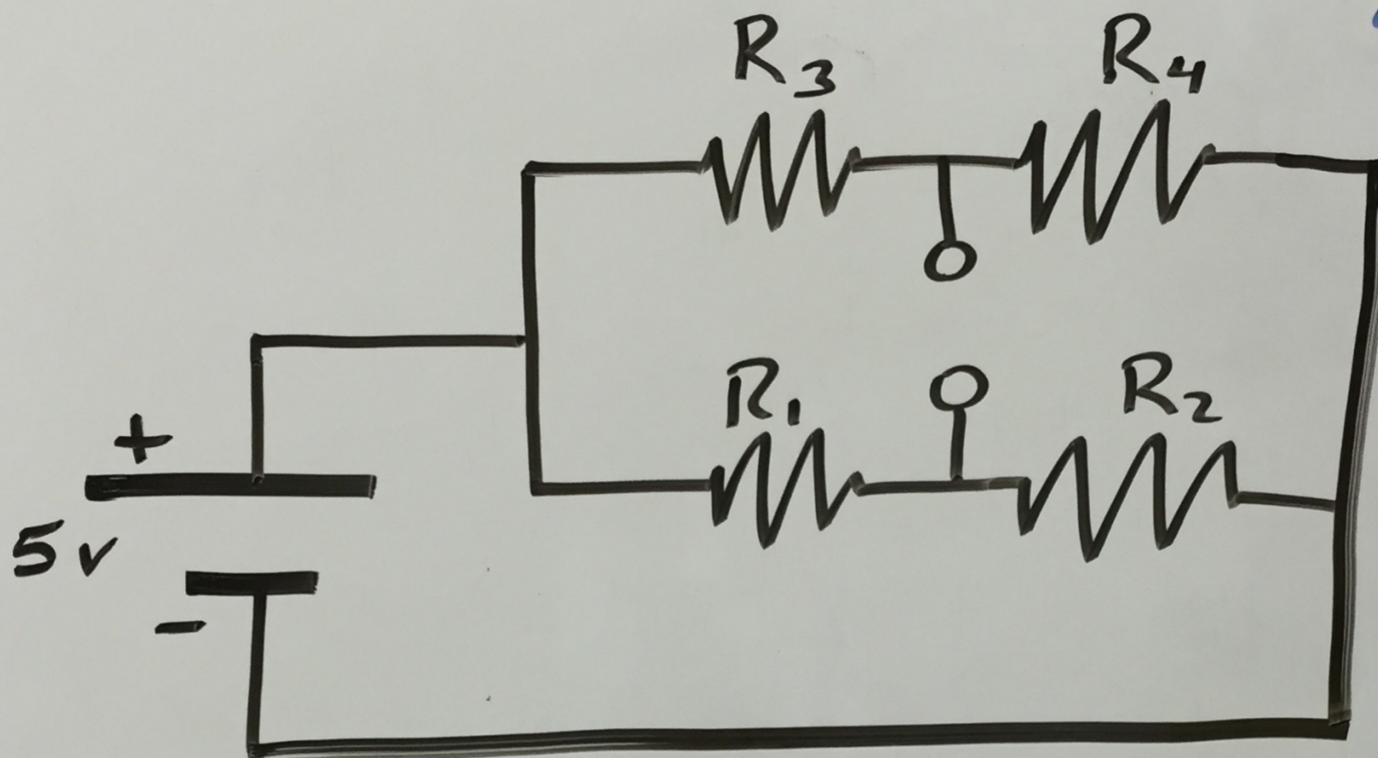
Wheatstone Bridge



Tension stretches, increases resistance
Compression shrinks, decreases resistance

Special Parallel Circuits

Wheatstone Bridge



$$V_{\text{source}} \left(\frac{R_2}{R_1 + R_2} \right)$$

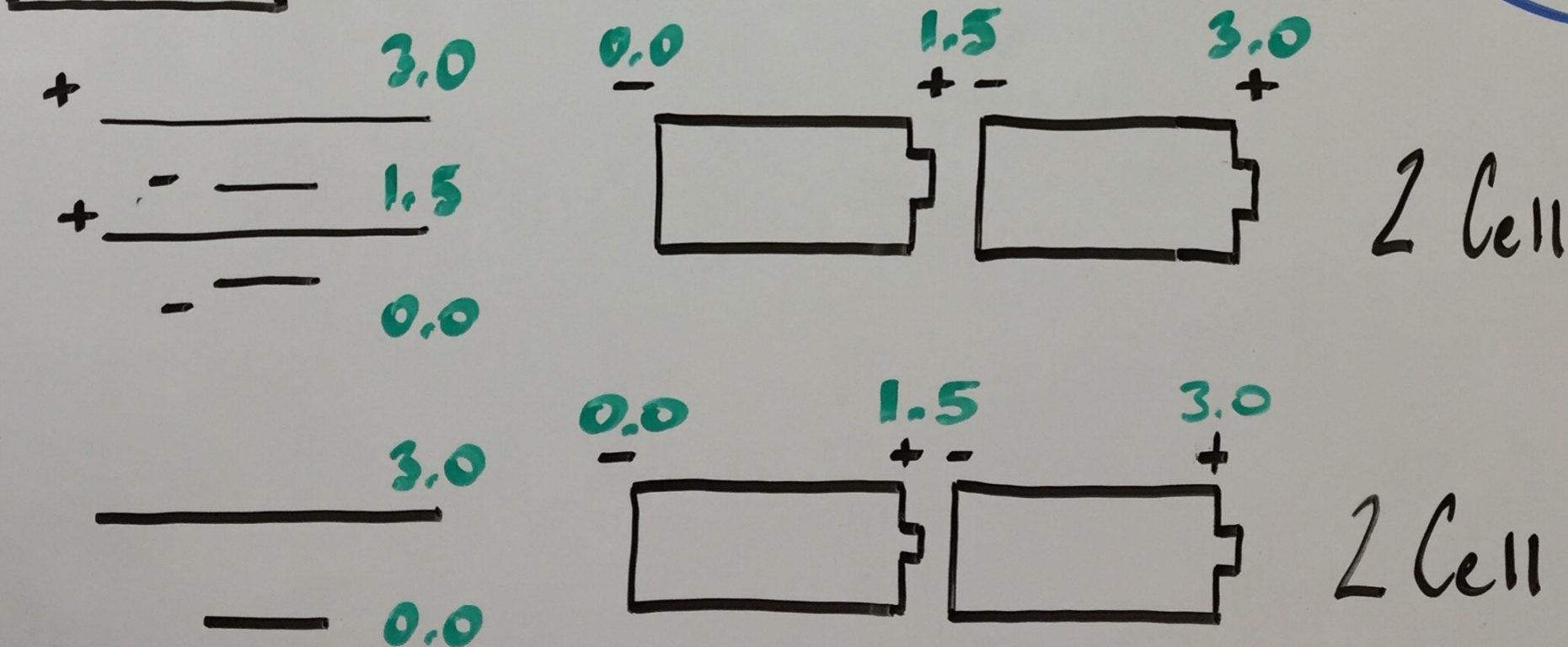
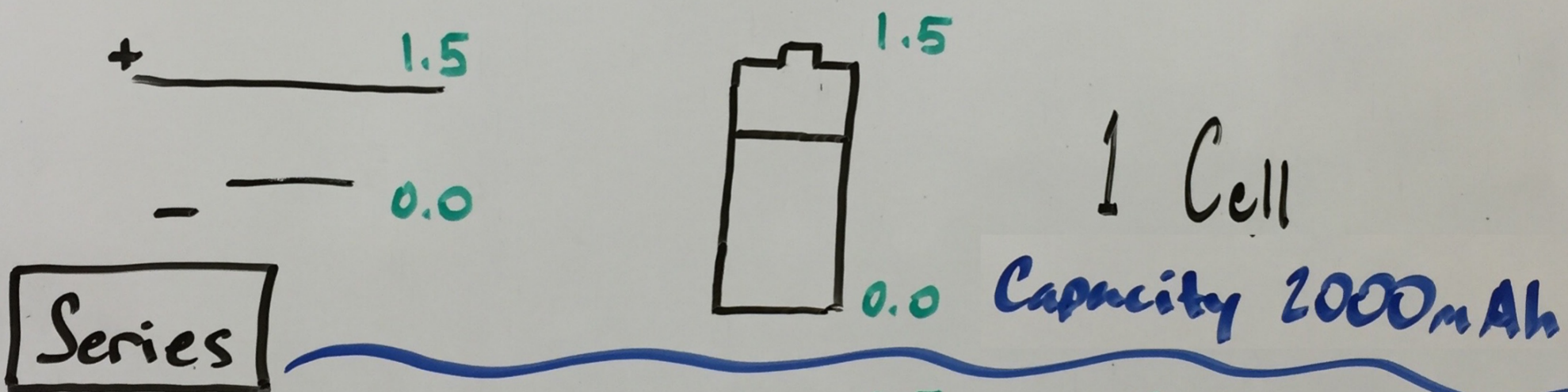
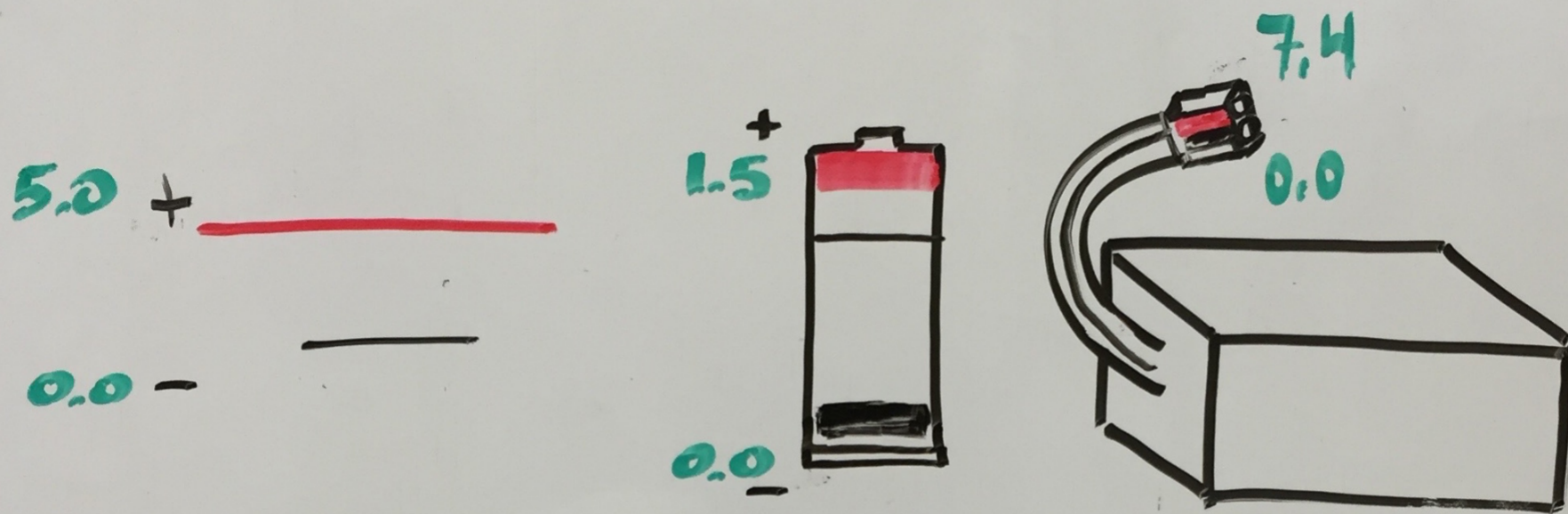
$$5 \left(\frac{98}{100 + 98} \right) = 2.475 \text{v} = V_1$$

$$V_{\text{source}} \left(\frac{R_4}{R_3 + R_4} \right)$$

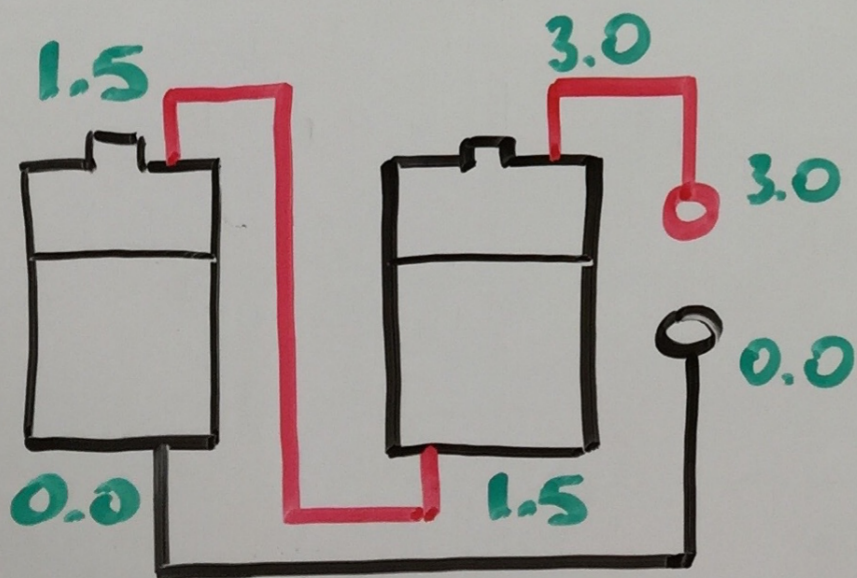
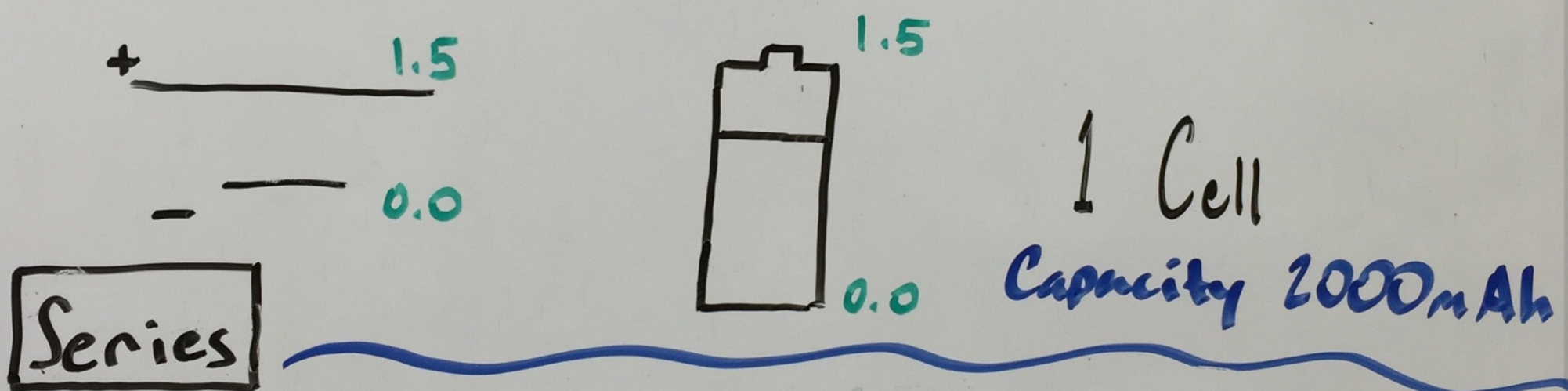
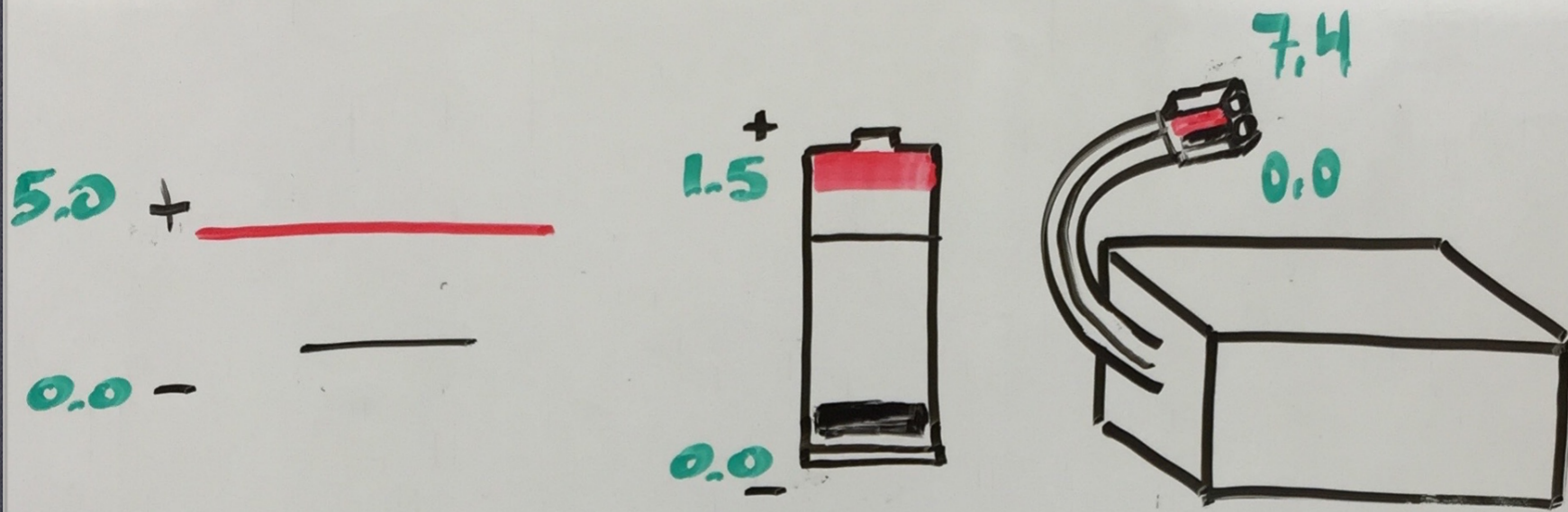
$$5 \left(\frac{102}{100 + 102} \right) = 2.525 \text{v} = V_2$$

$$V_2 - V_1 = 0.05 \text{ volts}$$

BATTERIES:

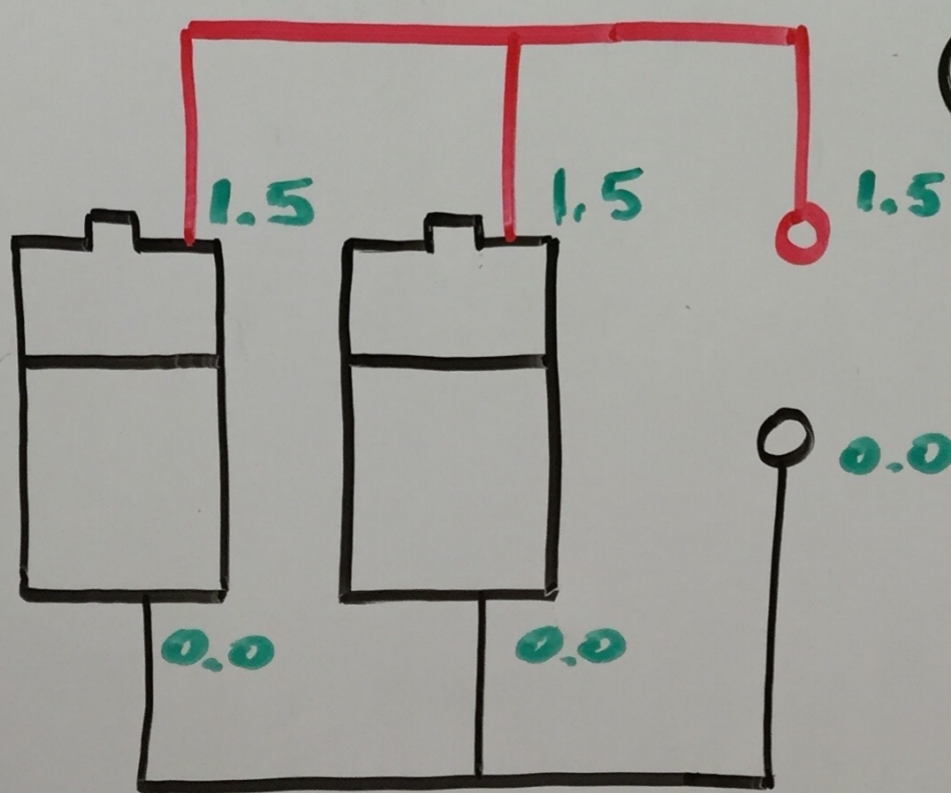
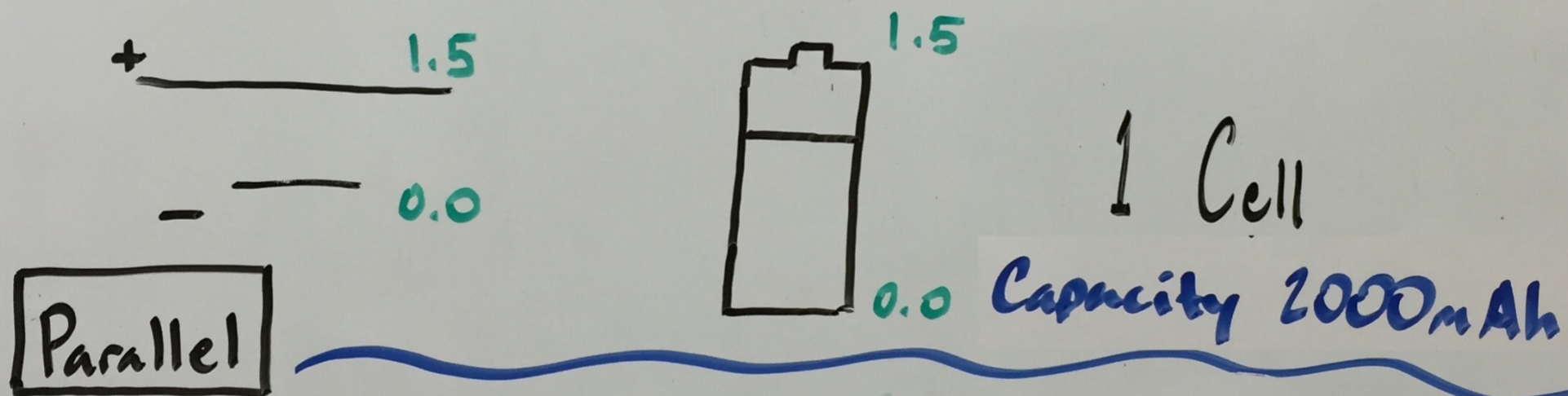
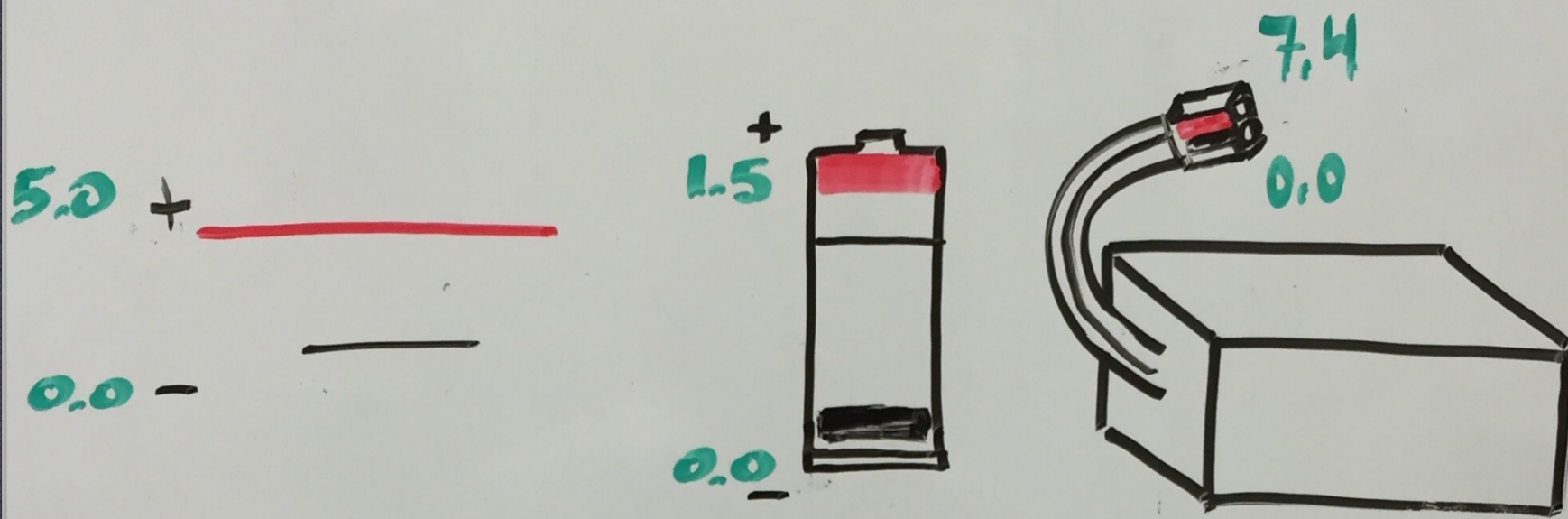


BATTERIES:



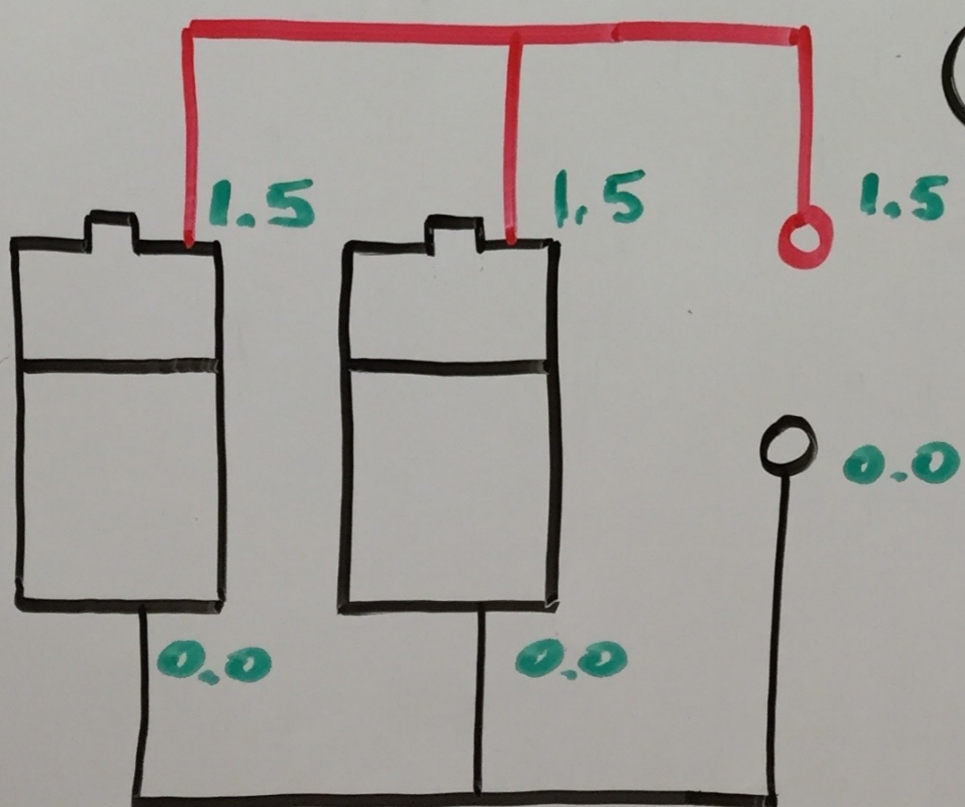
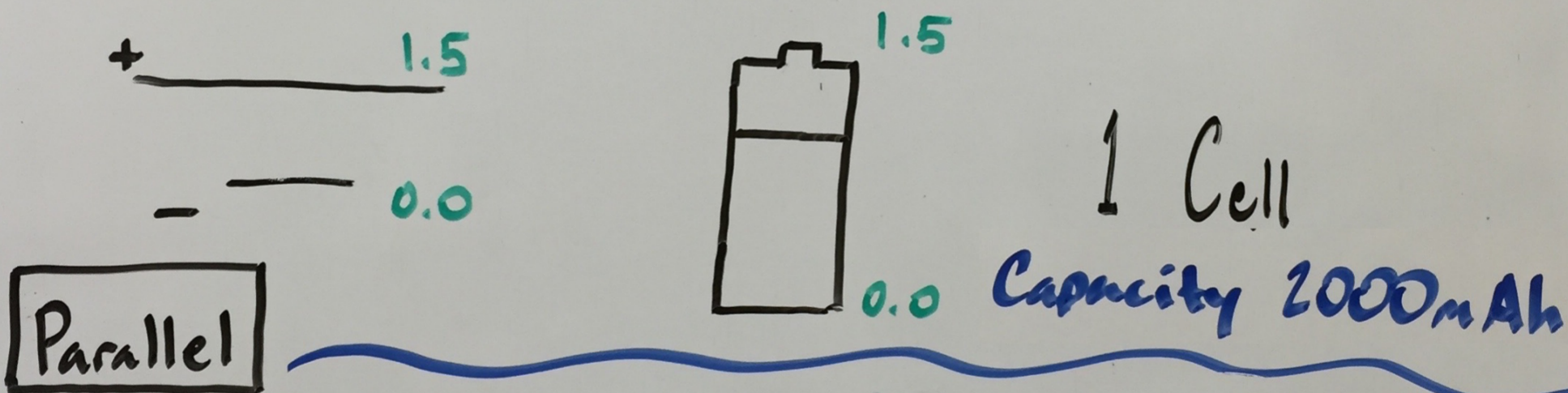
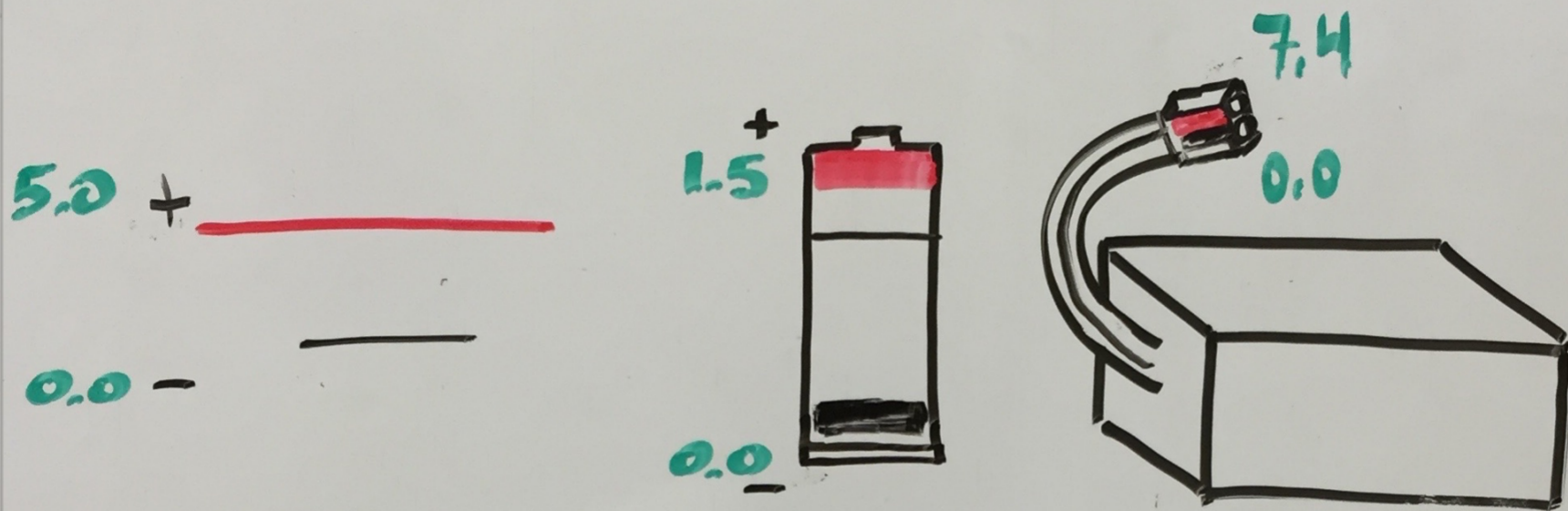
Capacity
2000mAh

BATTERIES:



Q. What's the purpose?

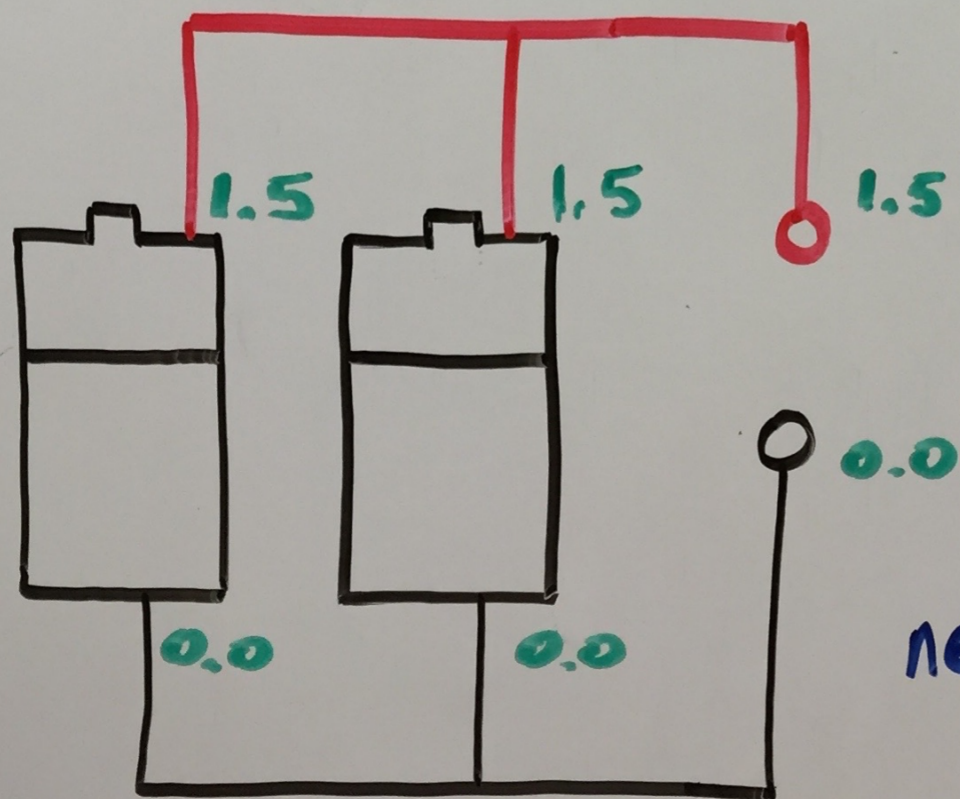
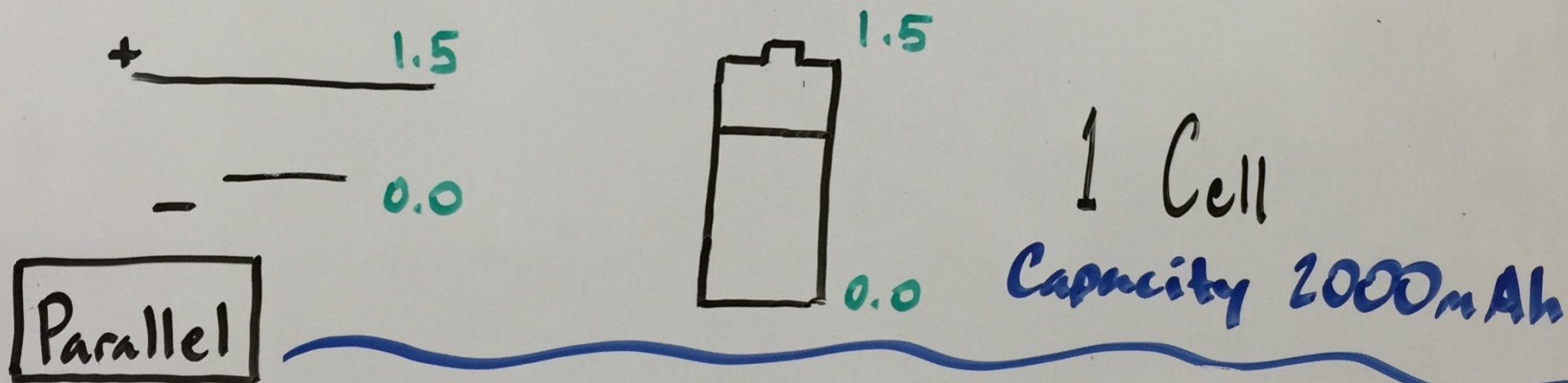
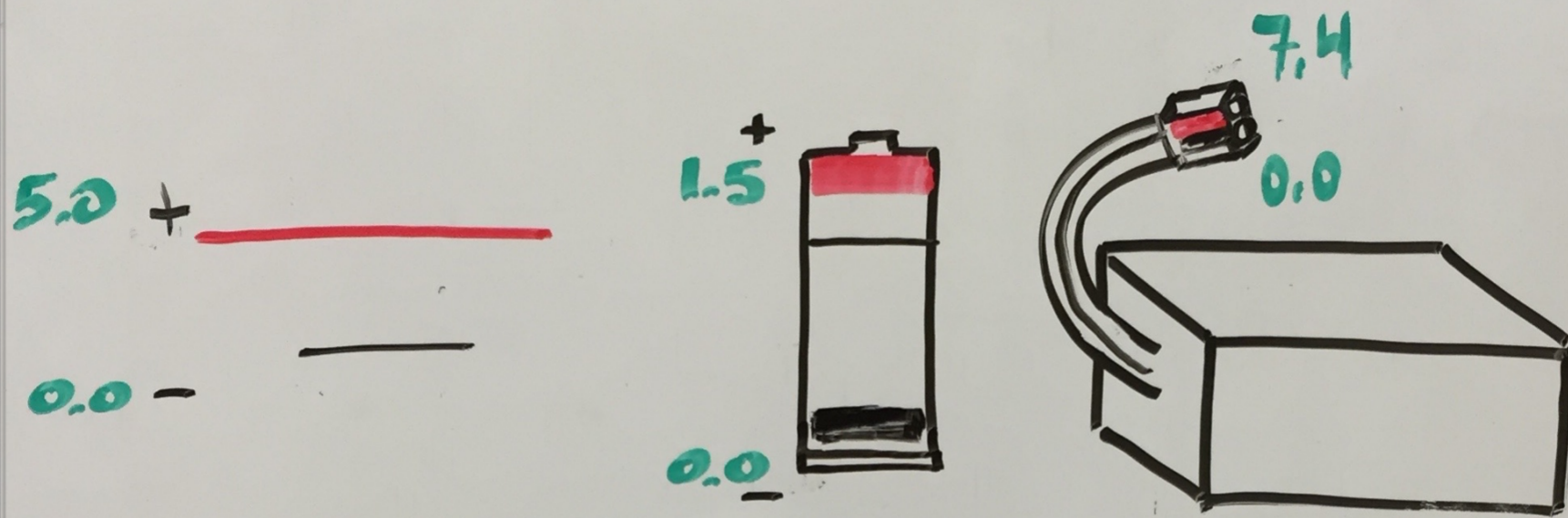
BATTERIES:



Q. What's the purpose?

A. Capacity

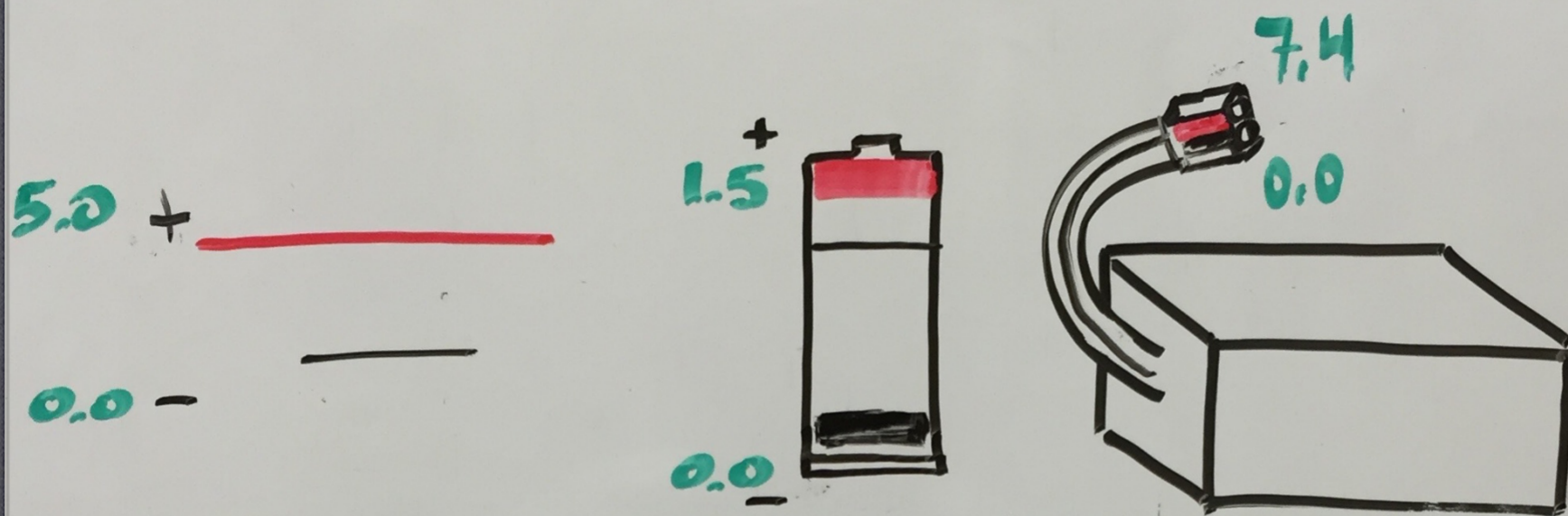
BATTERIES:



$$\begin{aligned} \text{Batt 1} + \text{Batt 2} &= \\ \text{Batt Total} & \\ (2000) + (2000) &= \\ &4000 \end{aligned}$$

new Capacity
4000mAh

BATTERIES:



Summary

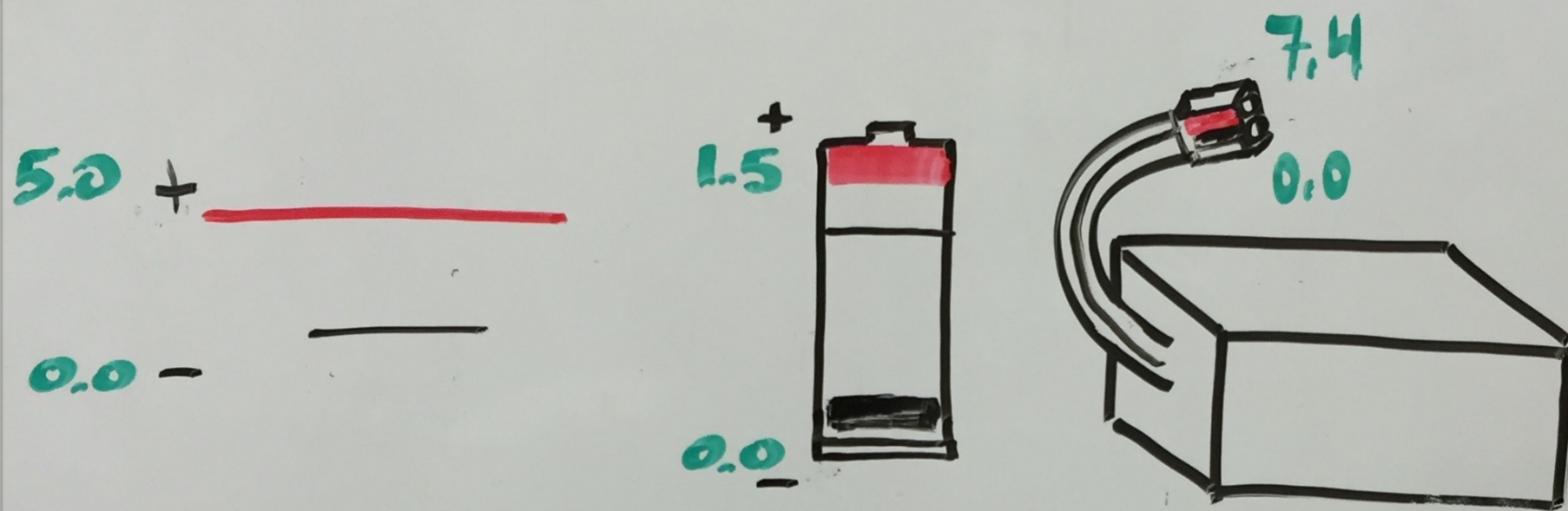
Batteries in Series →

- Increases voltage (addition)
- Capacity remains constant

Batteries in Parallel →

- Voltage remains constant
- Capacity increases (addition)

BATTERIES:



Notes:

- Never mix battery chemistries
- Never mix battery voltages
- Never mix battery capacities